
Longitudinal single-bunch instabilities in the LER of KEKB

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KEK & SOKENDAI

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Thanks to K. Oide, Y. Cai, Y. Suetsugu, K. Shibata, M. Tobiyama,
Y. Morita, T. Agoh, H. Fukuma, J. Flanagan, K. Akai, T. Ieiri ...

Outline

- Introduction
- Construction of a numerical impedance model
- Loss factor from numerical impedance model
- HOM power and loss factor from RF power balance
- Numerical simulations with VFP solver
- An attempt to extract impedance directly from bunch profiles
- Summary

Introduction (1)

LRC Broadband Impedance Model

For $q < 0$, wakefield is given by

$$W(q) = -w_0 [\cos(Aq) + B \sin(Aq)] \exp(xq / 2Q)$$

$$\text{where } A = x \sqrt{1 - \frac{1}{4Q^2}}, B = \frac{1}{\sqrt{4Q^2 - 1}}, x = \frac{\sigma_z \omega_R}{c}$$

It's integral:

$$S(q) = \int_{-\infty}^q W(q') dq' = -\frac{w_0}{A} \sin(Aq) \exp(xq / 2Q)$$

Conversion of LRC parameters:

$$C = \frac{1}{w_0}, L = w_0 \left(\frac{\sigma_z}{xc} \right)^2, R = Q w_0 \left(\frac{\sigma_z}{xc} \right)$$

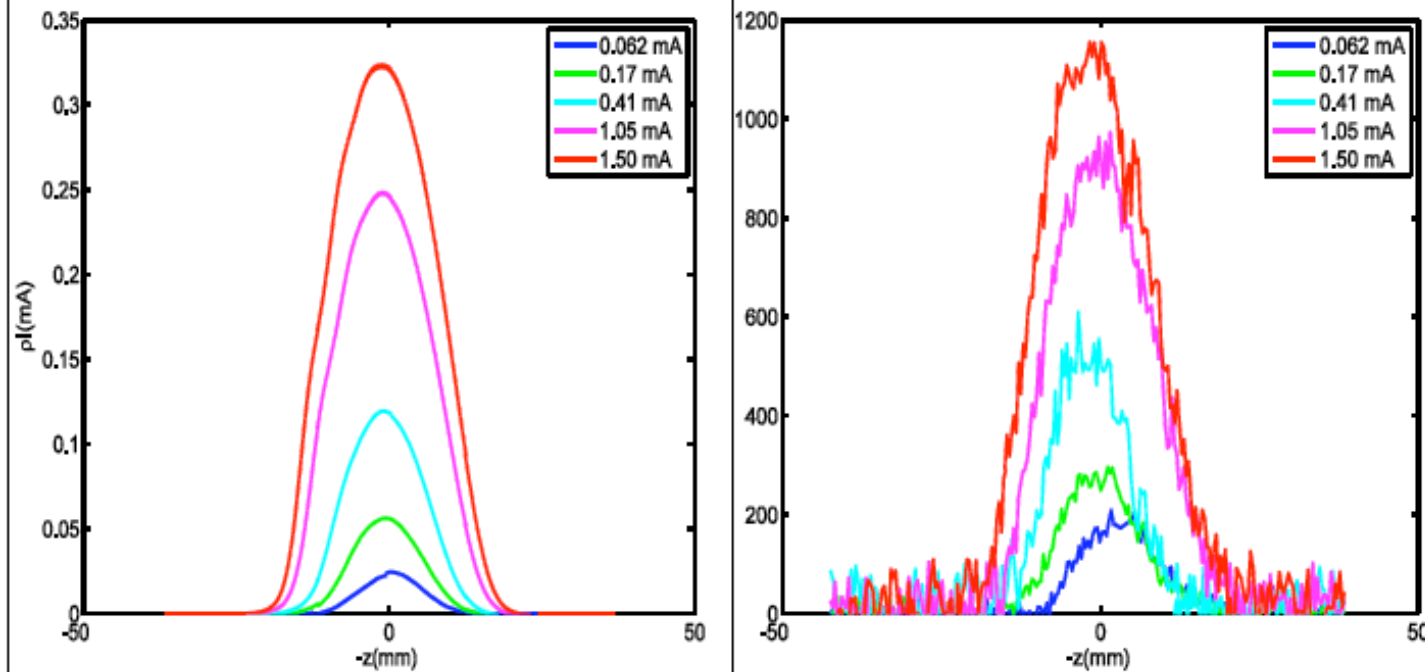
Y. Cai, KEKB meeting, Nov.20, 2008

Accelerator physics seminar, KEK, Jul. 23, 2009

Introduction (2)

Impedance Model and Measurement

$$Q=1, \chi(\omega_R \sigma_z / c)=3, w_0=5 \times 10^5 (\text{m}^{-1})$$



For the LER, we have $L=116.8 \text{ nH}$, $R=22.94 \text{ K}\Omega$, $C=22.1 \text{ fF}$

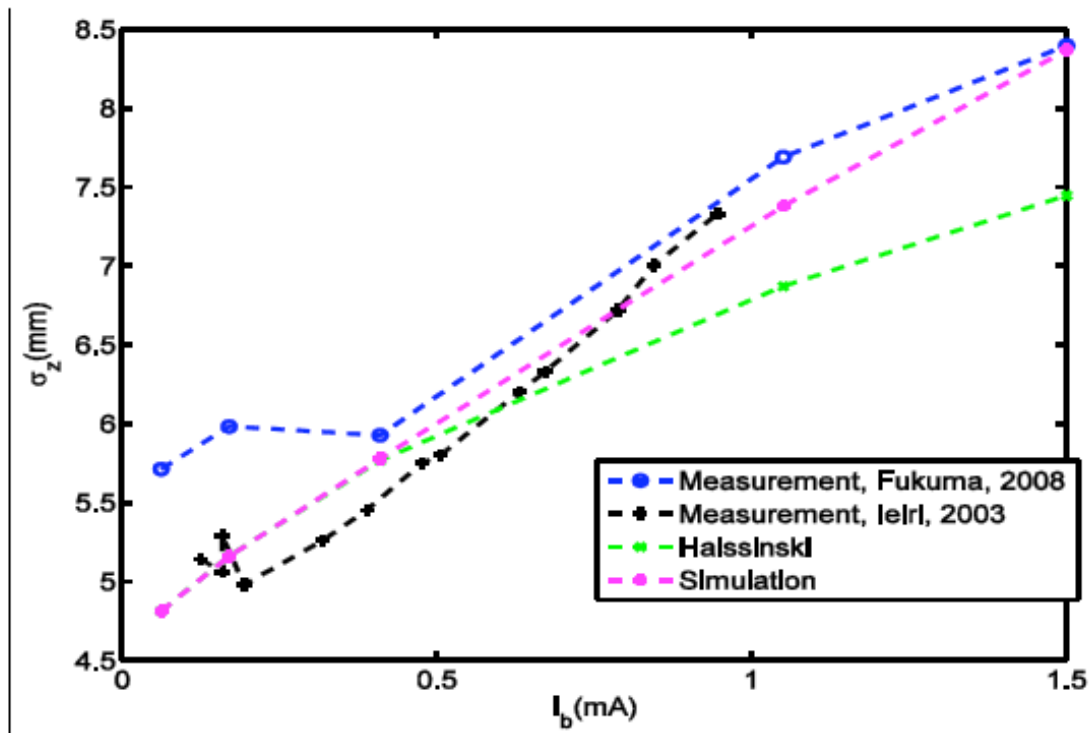
Y. Cai, KEKB meeting, Nov.20, 2008

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Introduction (3)

Impedance Model and Measurement

$$Q=1, \chi(\omega_R \sigma_z / c)=3, w_0=5 \times 10^5 (\text{m}^{-1})$$



Y. Cai, KEKB meeting, Nov.20, 2008

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Introduction (4)

- Our method
 - Construct numerical impedance model (Quasi-green function)
 - Check the models with beam measurements
 - Simulate with VFP solver
- Advantages of numerical impedance model
 - More physical
 - Predict loss factor and HOM power
 - Identify effects of different impedance sources (Geometrical, Resistive wall and CSR)

Numerical impedance model (1)

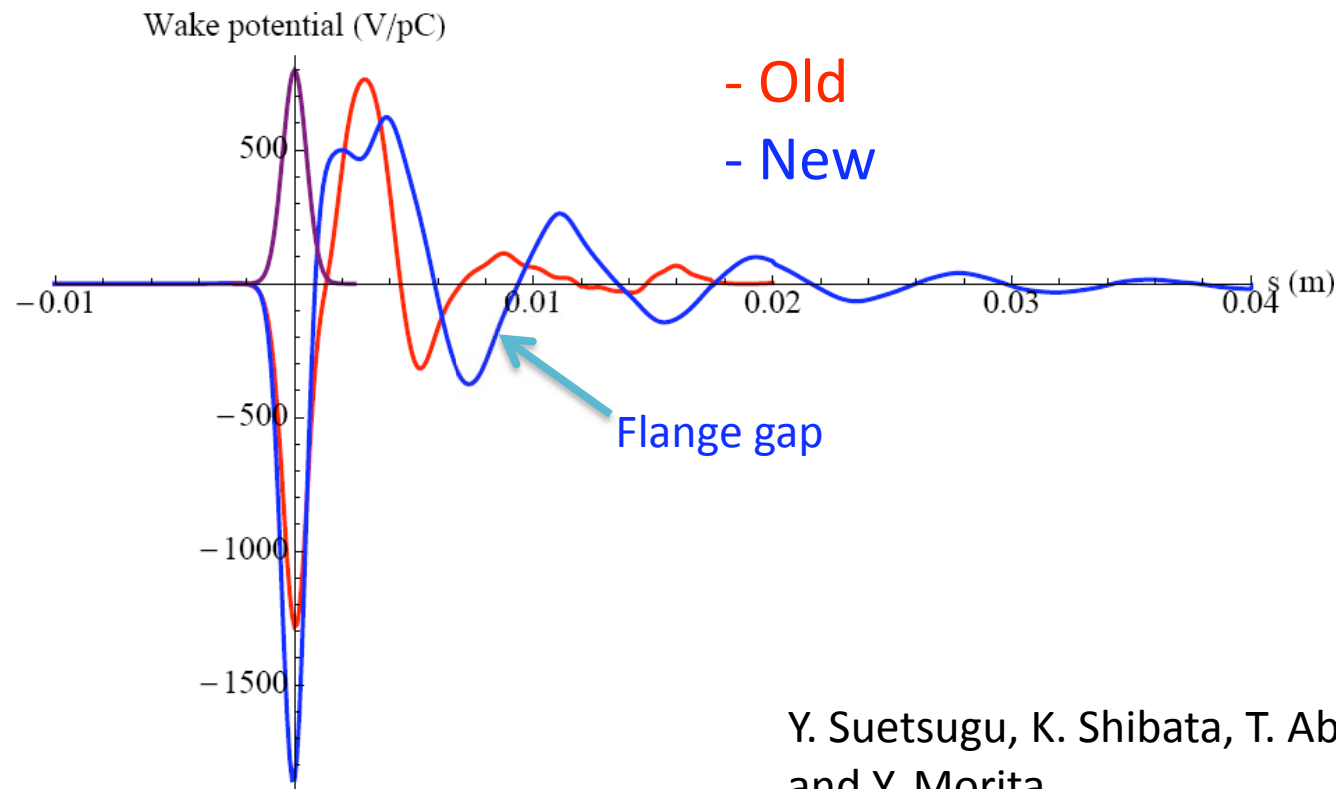
- Vacuum components: Take into account as many as possible. Crab cavity, FB, tapers, gate valves...
- Careful modeling: SR masks, flange gaps, pumping ports...

Component	Number	Software
ARES cavity	20	GdfidL
Movable mask	16	GdfidL
SR mask (arc/wiggler)	1000 (905/95)	GdfidL
Bellows	1000	GdfidL
Flange gap	2000	GdfidL
BPM	440	MAFIA
Pumping port	3000	GdfidL
Crab cavity	1	ABCI
FB kicker/BPM	1/40	GdfidL
Tapers ARES/Crab/Abort/Injection IR(IP/QCSL/QCSR)	4/2/2/2 6(2/2/2)	GdfidL
Gate valves f94/f150/94x150	26/13/2	GdfidL

By Y. Suetsugu, K. Shibata,
T. Abe, M. Tobiyama, Y.
Morita

Numerical impedance model (2)

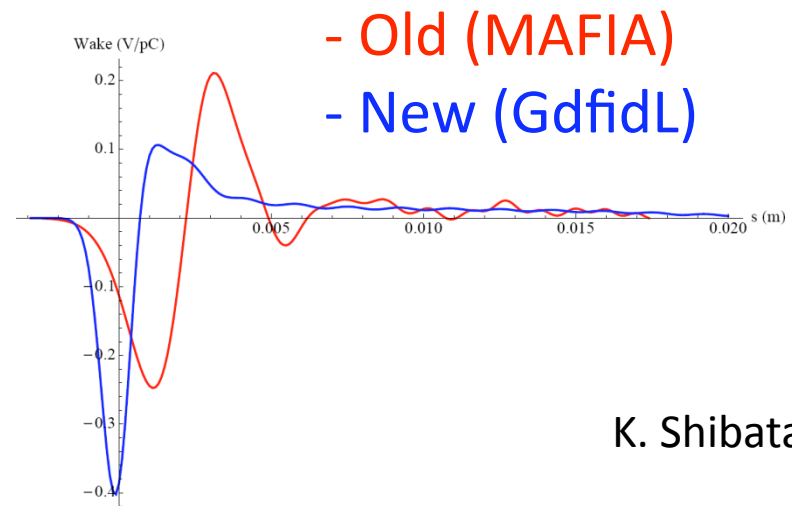
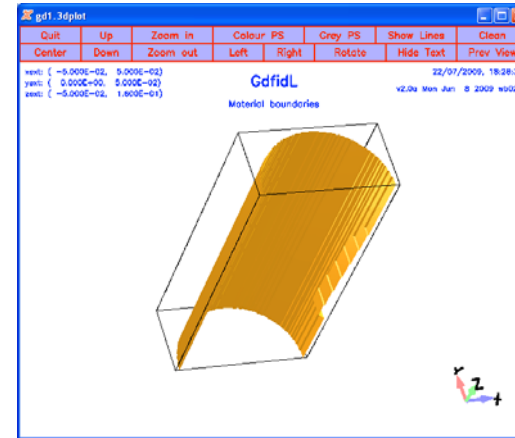
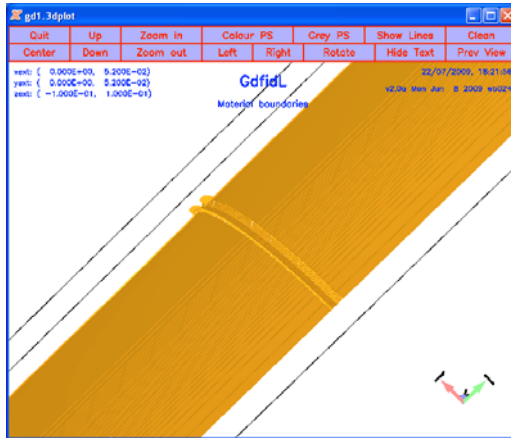
- Geometrical wake (GW) potential of 0.5mm bunch
 - Main improvements are wakes of SR masks and flange gaps
 - Contributions from crab cavity, FB, tapers and gate valves are relatively small



Y. Suetsugu, K. Shibata, T. Abe, M. Tobiyama,
and Y. Morita

Examples of improving impedance calculation

- 0.5mm bunch drives “trapped” modes in gaps



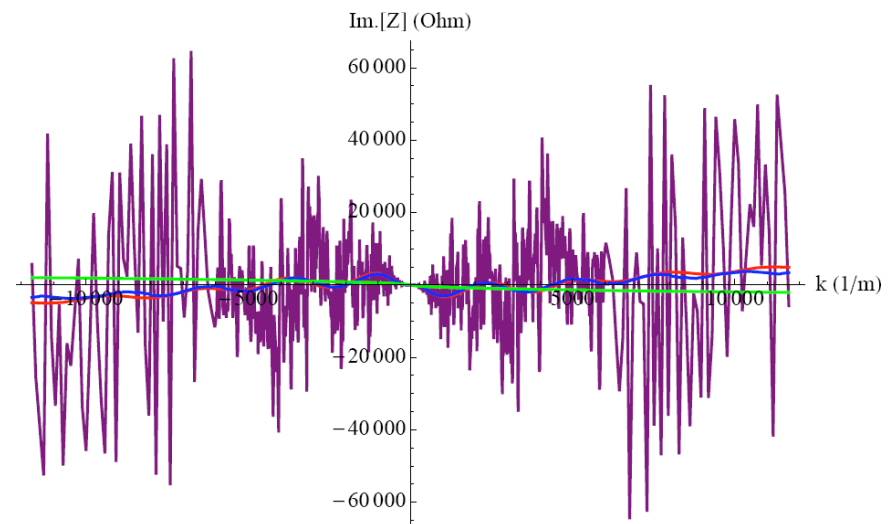
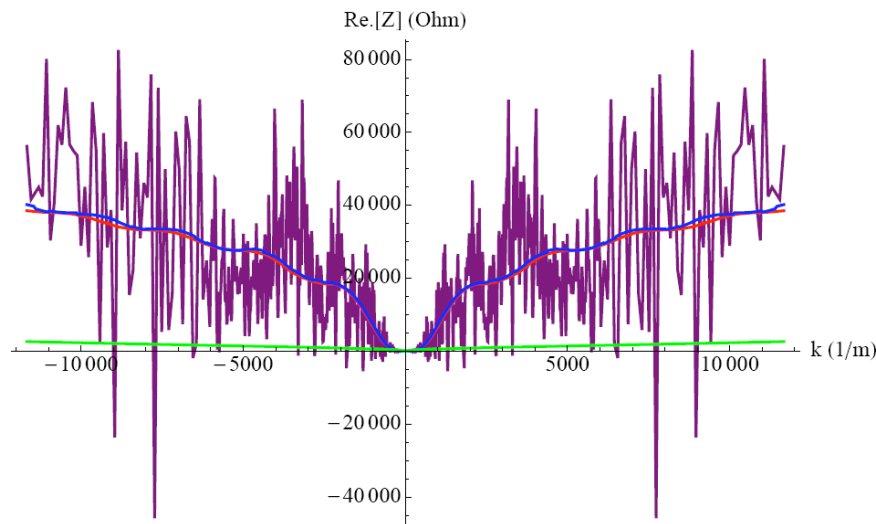
K. Shibata

CSR impedance of dipoles by Oide's code (1)

- For dipoles, no big difference w/ and w/o antechamber
- Drifts between dipoles have large effects
 - R=47mm, single dipole with infinite drift x 112
 - R=45mm, single dipole with antechamber and infinite drift x 112
 - R=47mm, 4 dipoles with finite drifts x 28
 - Total resistive wall impedance

Bending radius=0.89041m

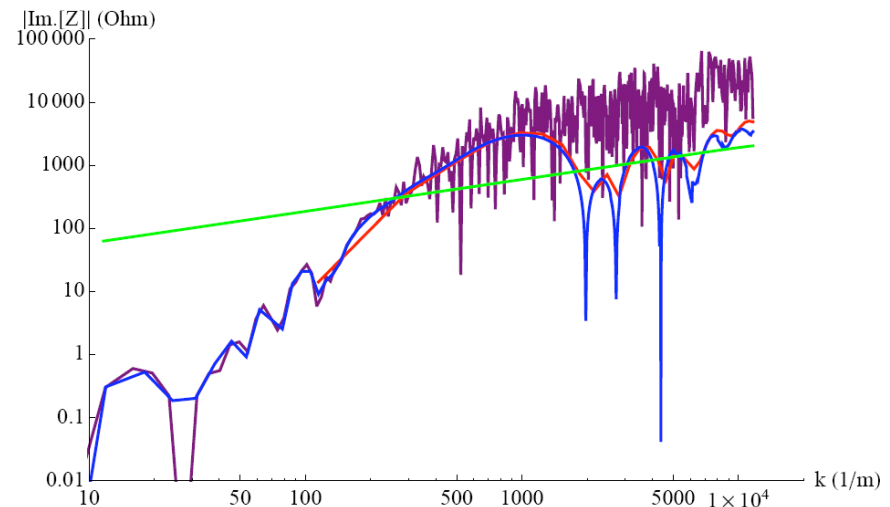
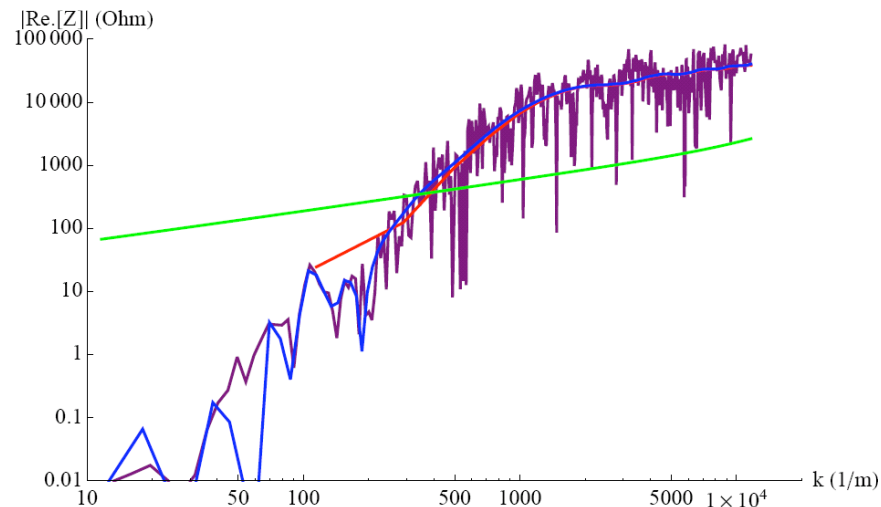
Bending angle=0.0561rad



CSR impedance of dipoles by Oide's code (3)

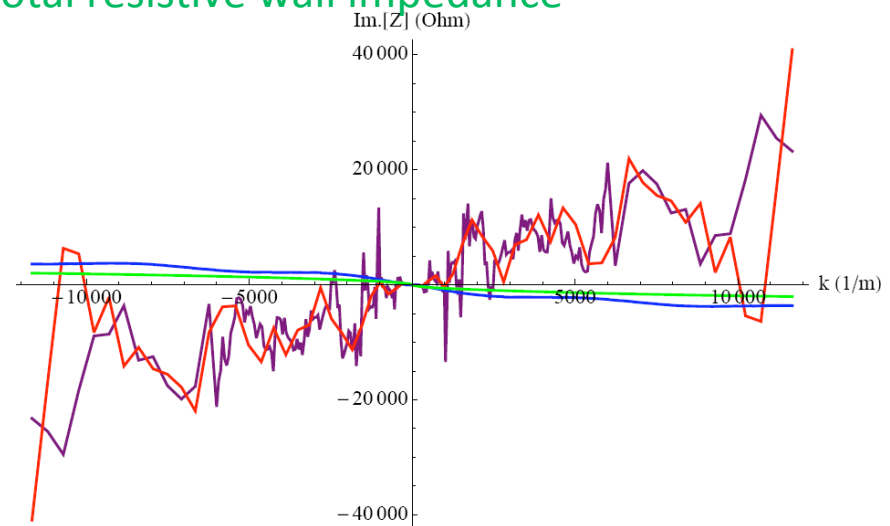
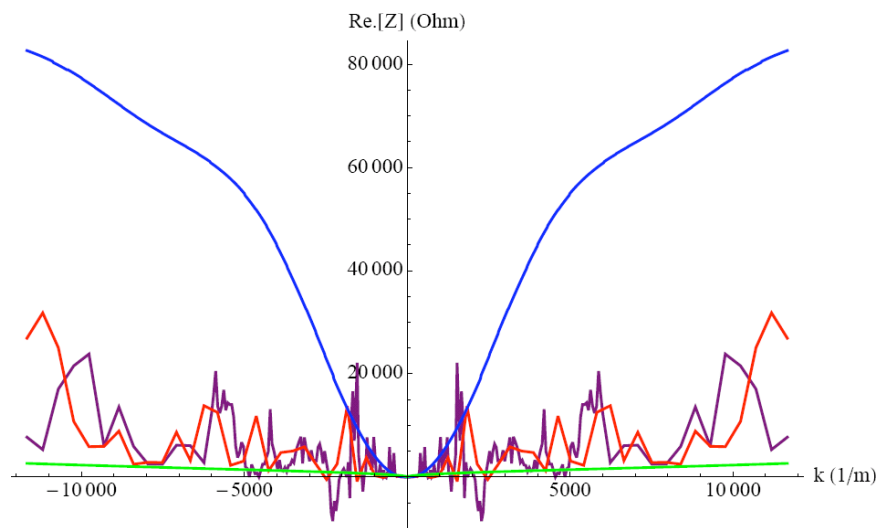
- Log-Log plot

- R=47mm, single dipole with infinite drift x 112
- R=45mm, single dipole with antechamber and infinite drift x 112
- R=47mm, 4 dipoles with finite drifts x 28
- Total RW



CSR impedance of wigglers by Oide's code (1)

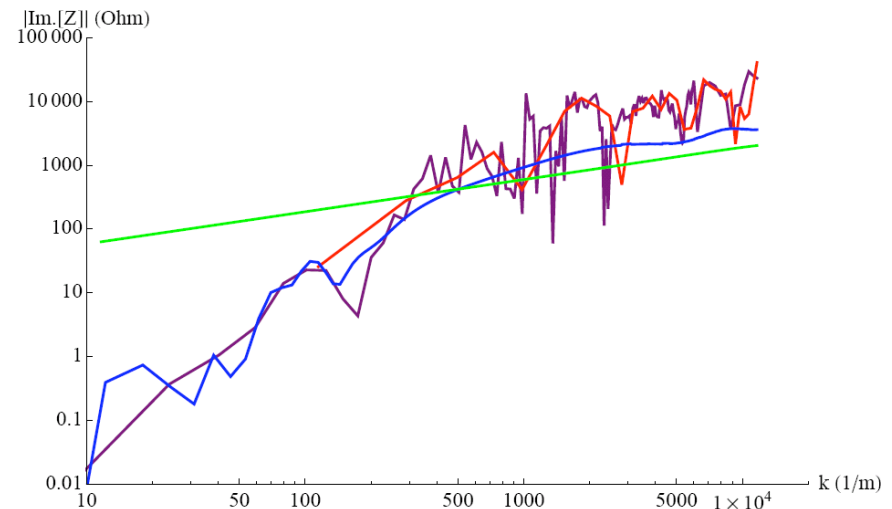
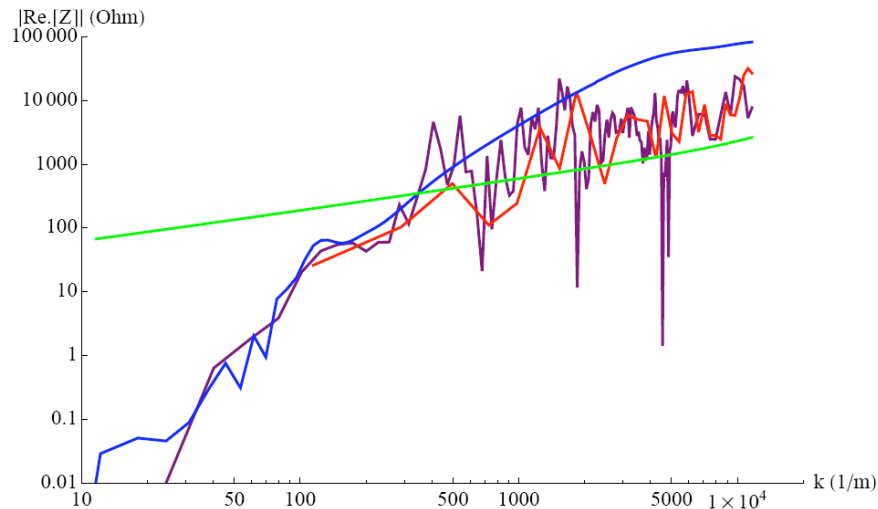
- For wigglers, drifts have very serious effects on CSR
- Different with the case of dipoles, the sign of imaginary part change when wave number goes higher(>500)
 - R=47mm, single pole with infinite drift x 304
 - R=45mm, 152 poles with antechamber and drifts (SuperKEKB) x 2
 - R=47mm, 152 poles with drifts x 2
 - Total resistive wall impedance



CSR impedance of wigglers by Oide's code (3)

- Log-Log plot

- R=47mm, single pole with infinite drift x 304
- R=45mm, 152 poles with antechamber and drifts (SuperKEKB) x 2
- R=47mm, 152 poles with drifts x 2
- Total RW



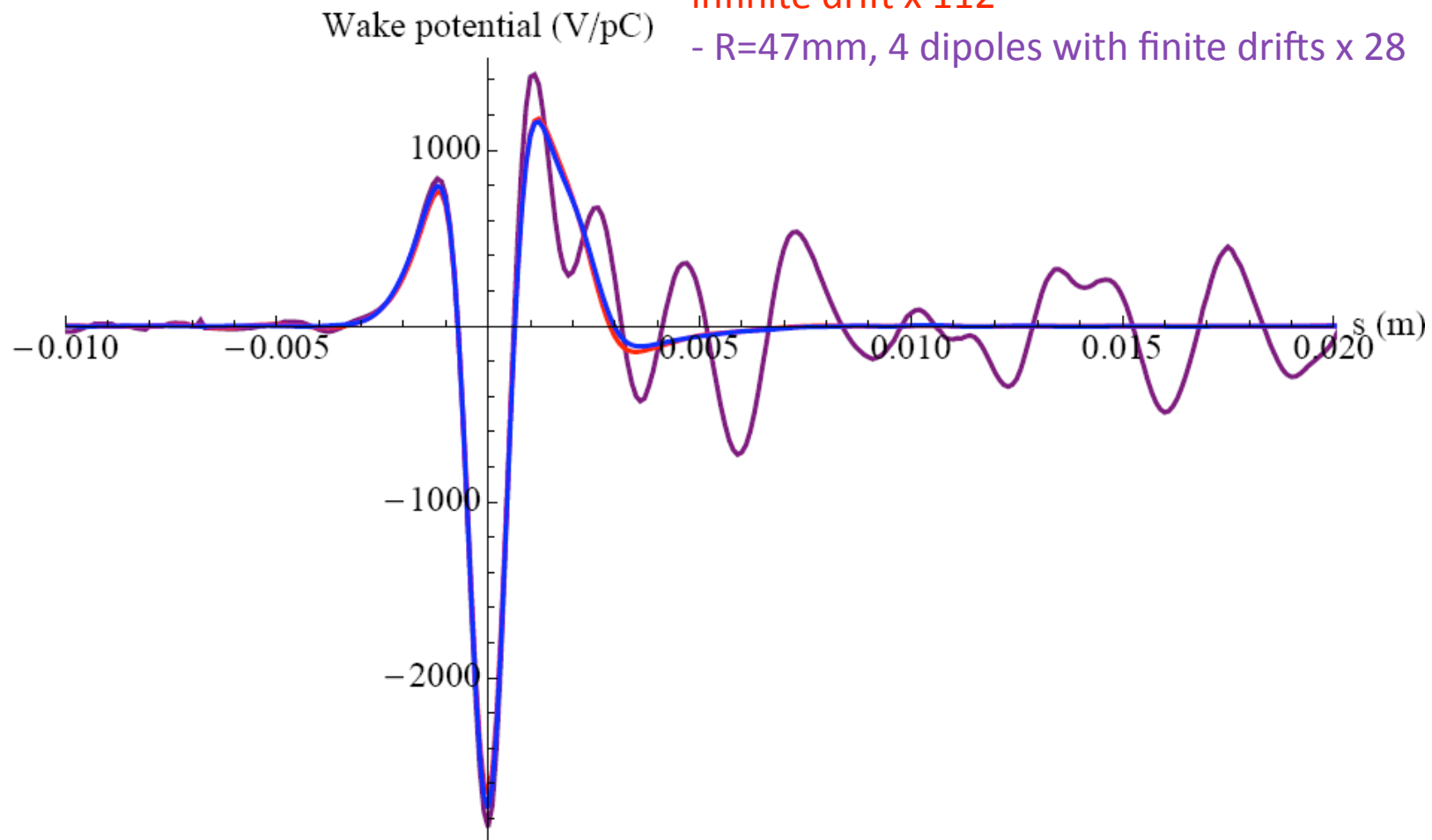
CSR wake potential of 0.5mm bunch (1)

- Dipoles

- R=47mm, single dipole with infinite drift x 112

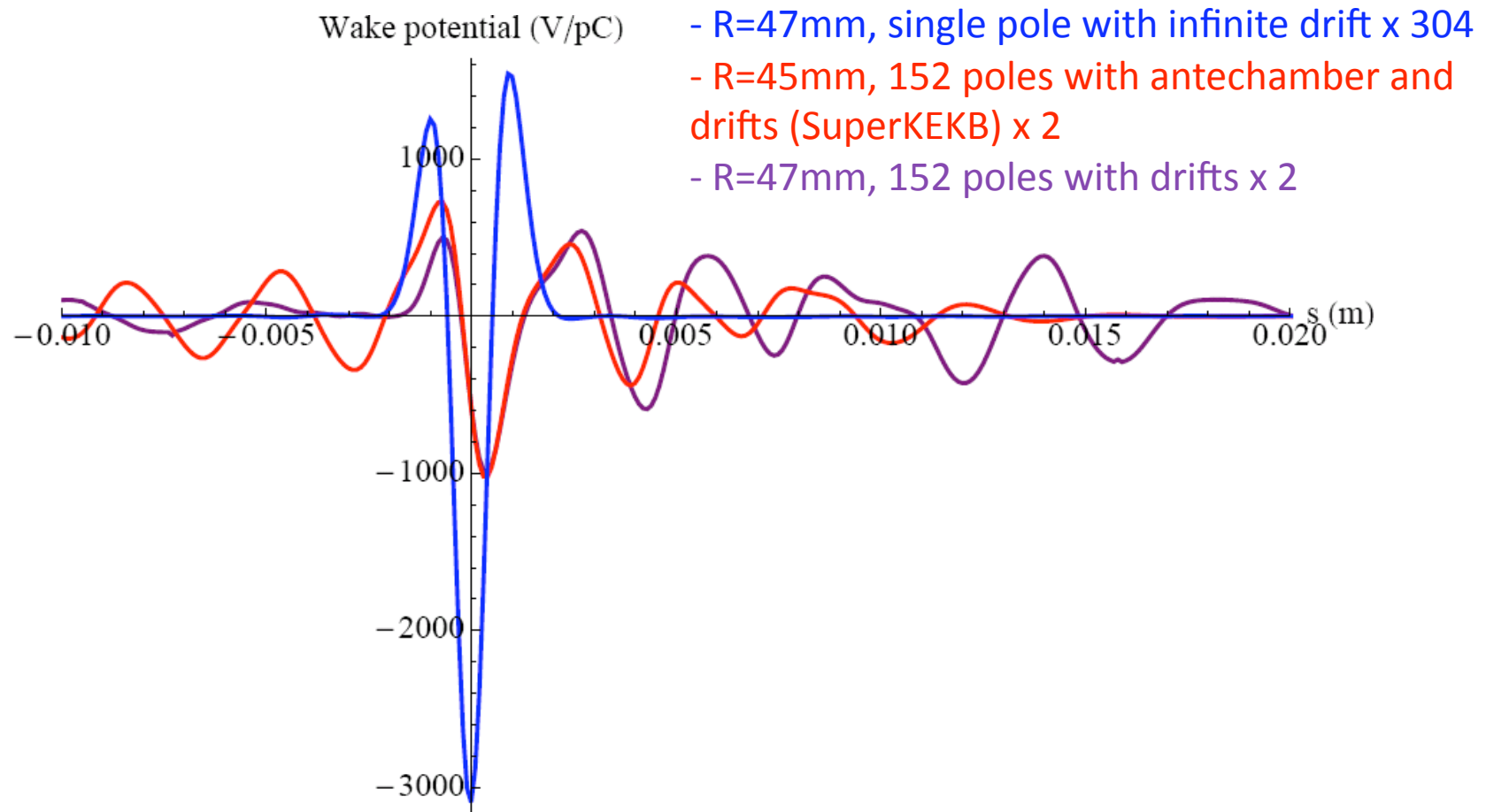
- R=45mm, single dipole with antechamber and infinite drift x 112

- R=47mm, 4 dipoles with finite drifts x 28

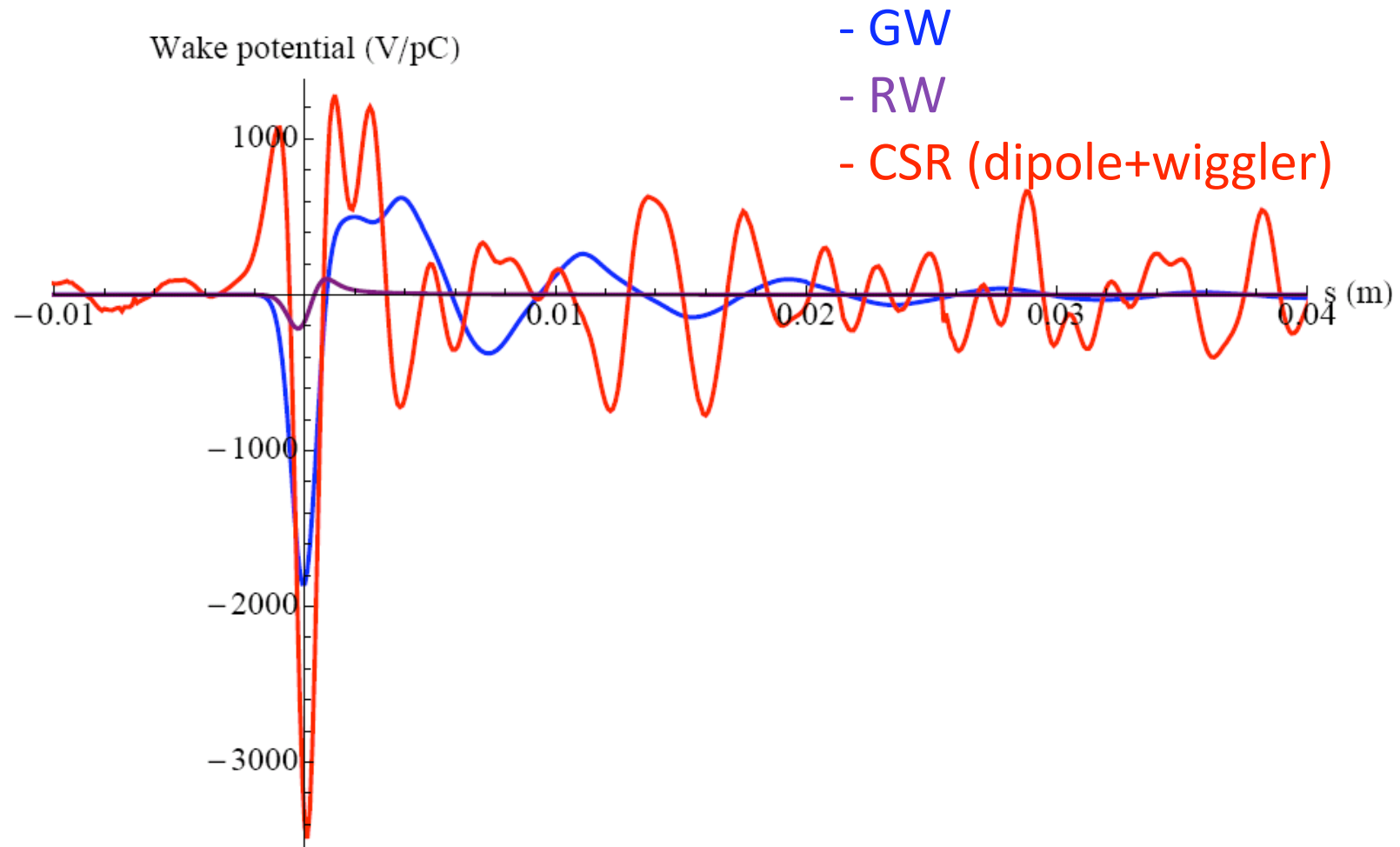


CSR wake potential of 0.5mm bunch (2)

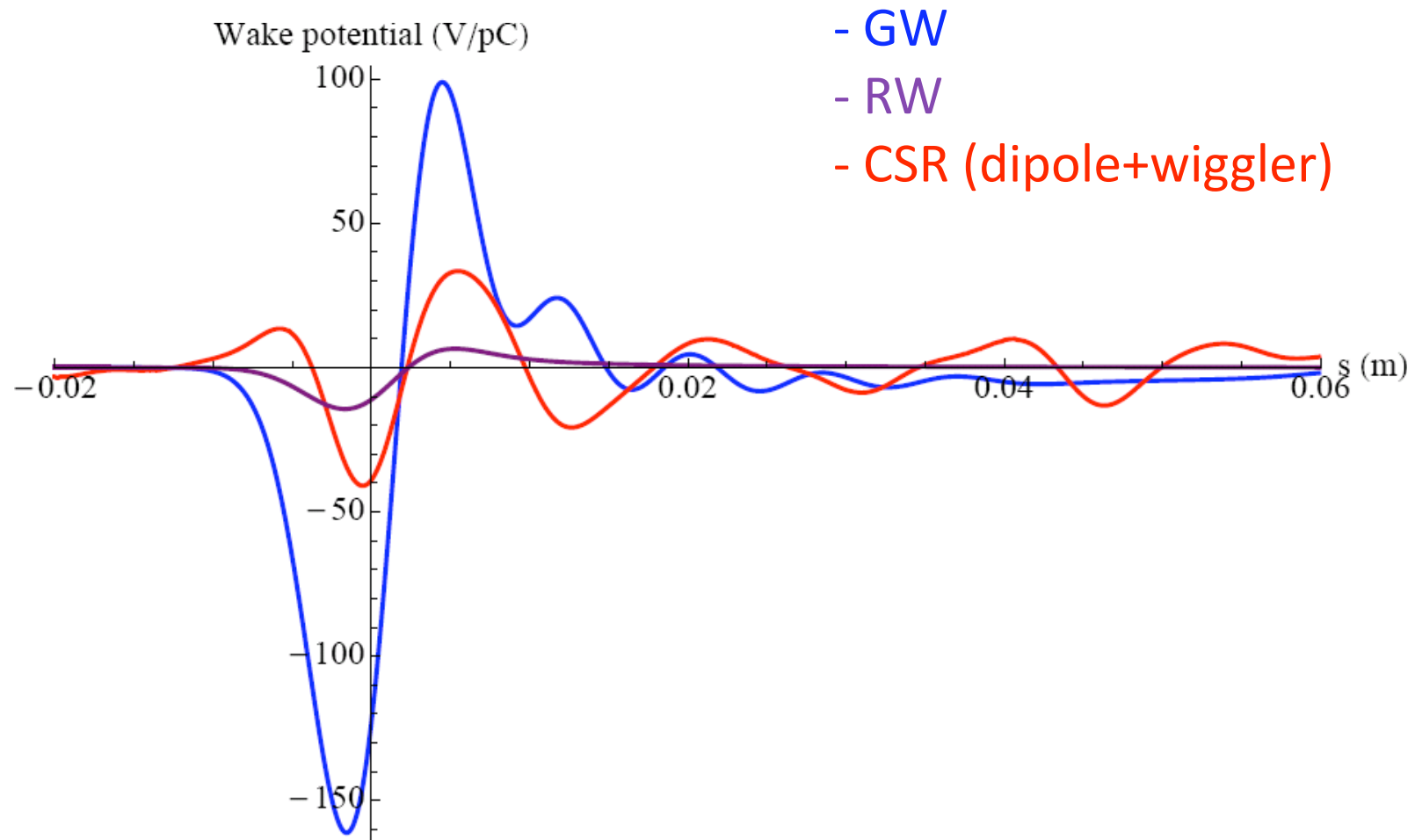
- Wigglers
 - Drifts relax CSR wake



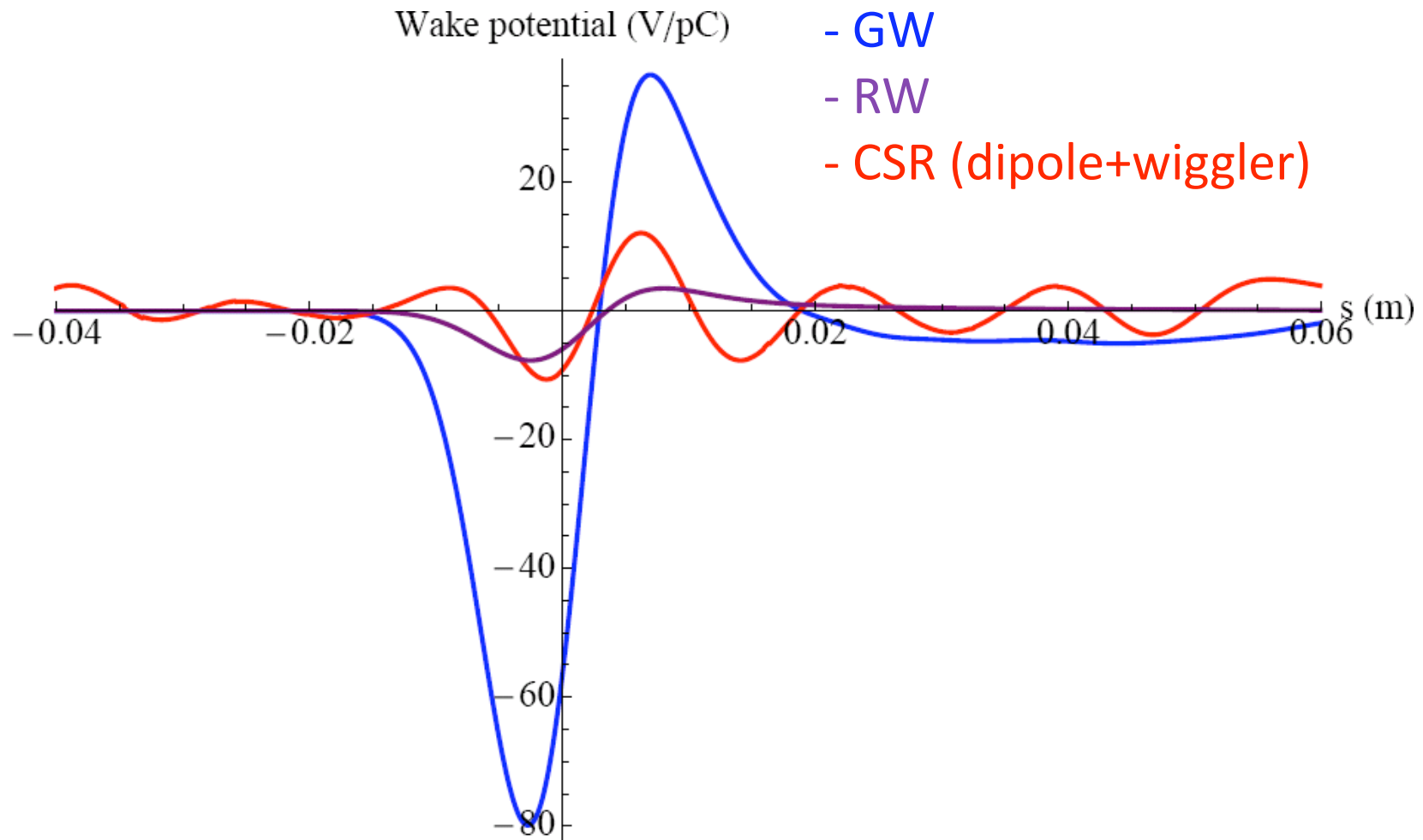
GW, RW and CSR wake potential of 0.5mm bunch



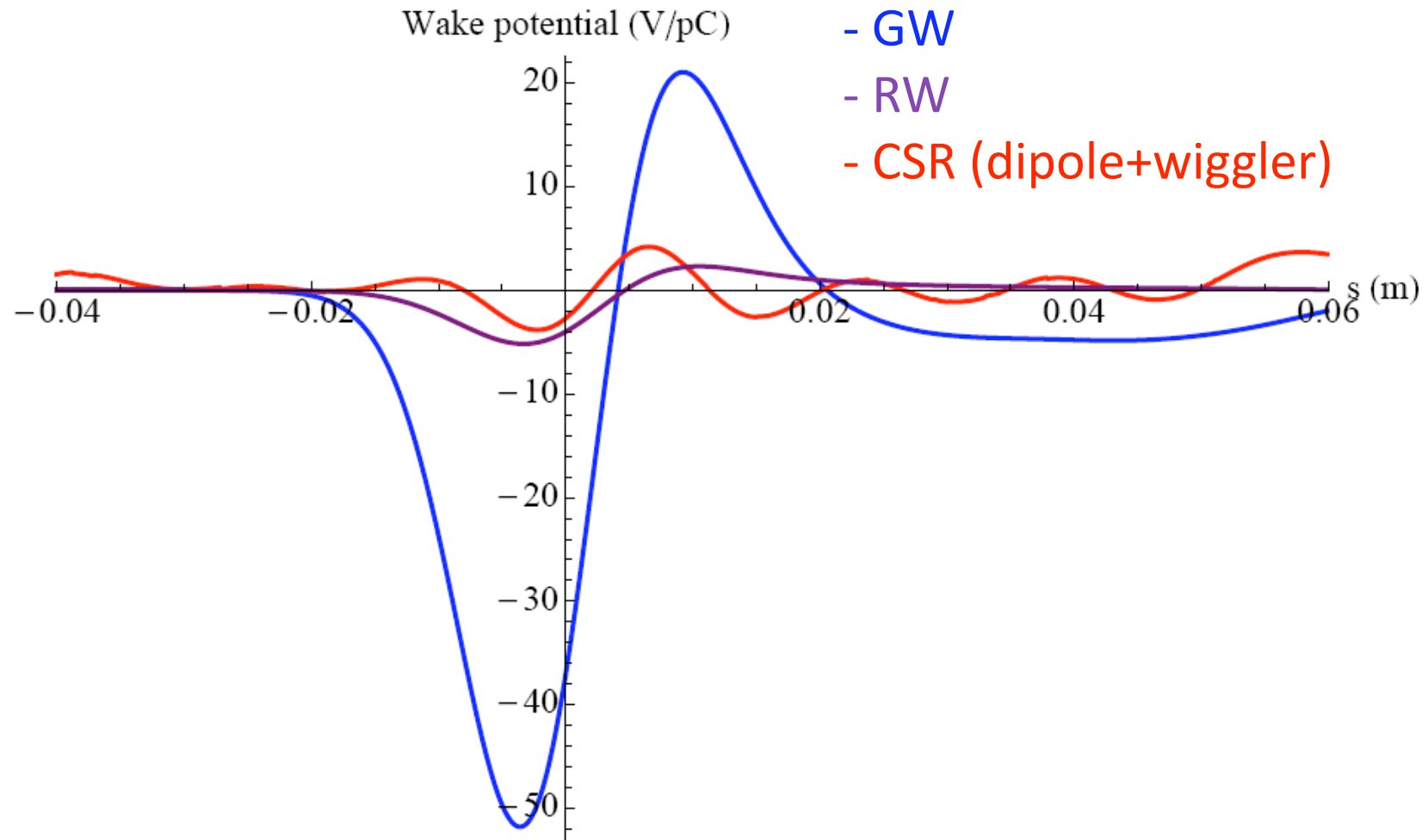
GW, RW and CSR wake potential of 3mm bunch



GW, RW and CSR wake potential of 4.58mm bunch

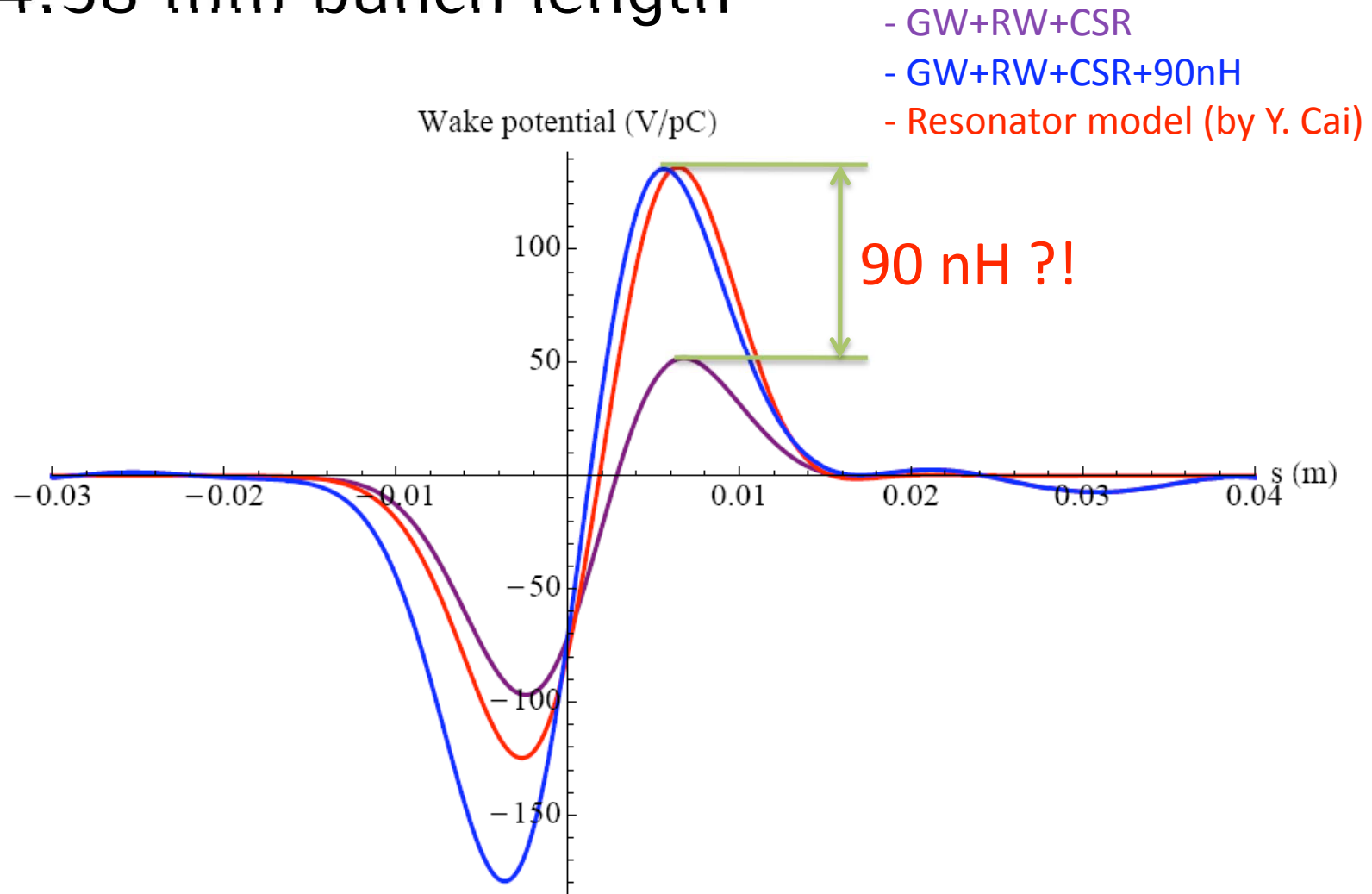


GW, RW and CSR wake potential of 6mm bunch



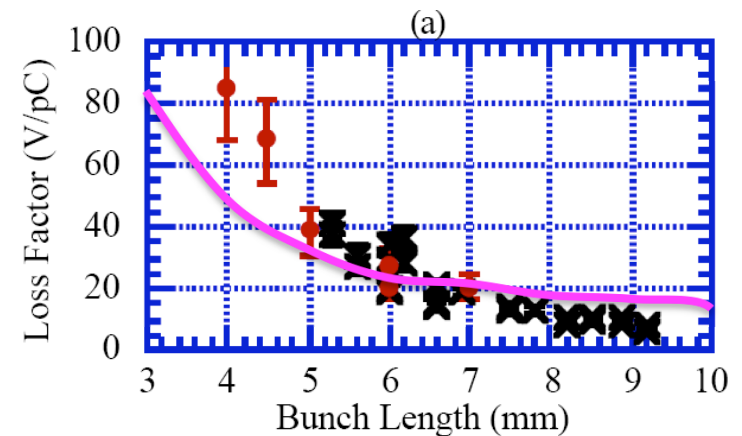
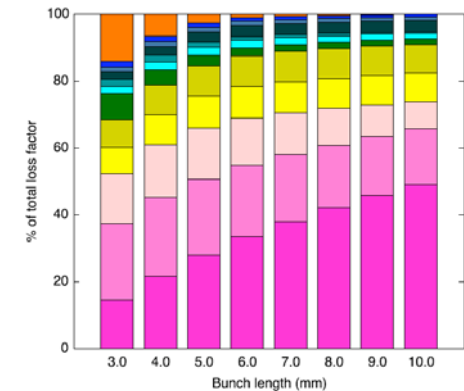
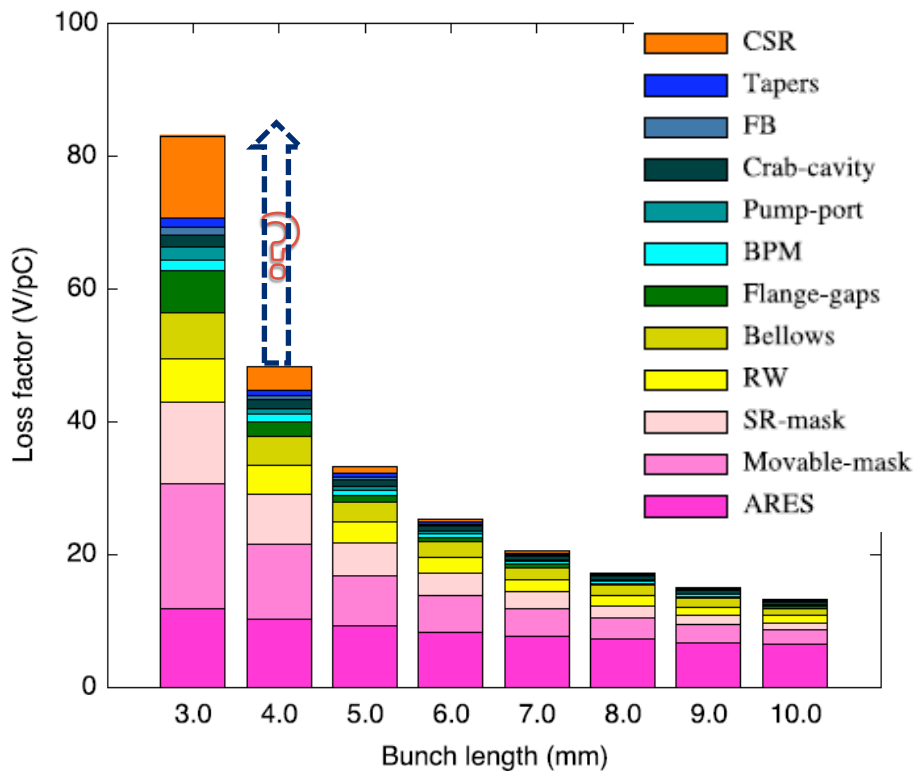
Compare with Cai's resonator model

- 4.58 mm bunch length



Loss factor from calculated wake potential (1)

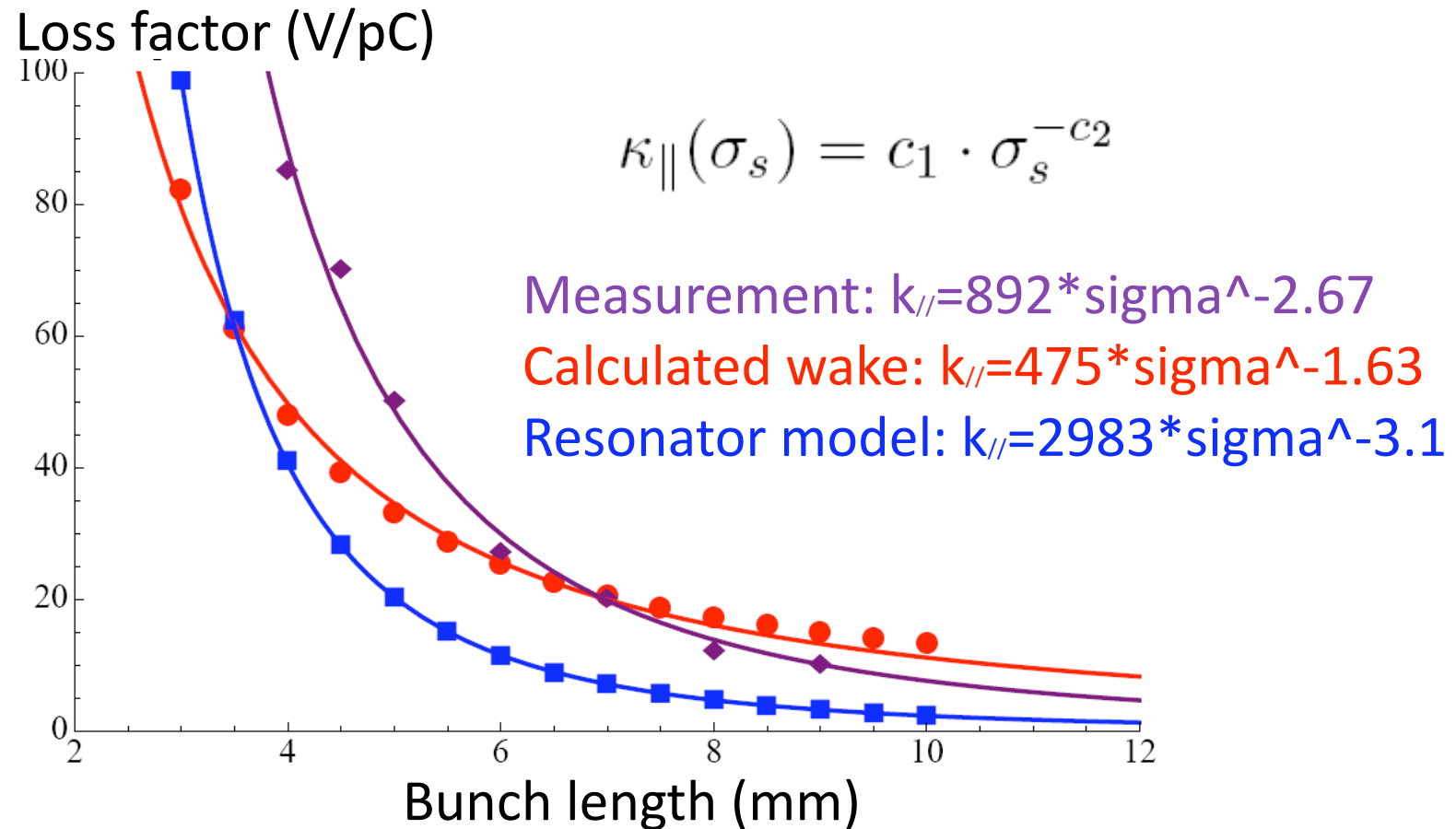
- Calculated loss factor is much smaller than measurement when $\sigma < 5\text{mm}$, but higher when $\sigma > 7\text{mm}$
- Loss factor due to CSR decays quickly when bunch length increases



Ieiri & Koiso, 2003

Loss factor from calculated wake potential (2)

- Loss factor as function of bunch length can be well described by a simple power function



HOM power (1)

- RF power balance (originated idea from PEP-II)

$$P_{beam}(I_{beam}) = \sum k \cdot P_{klystron} - \sum (P_{wall} + P_{reflection} + P_{coupling})$$

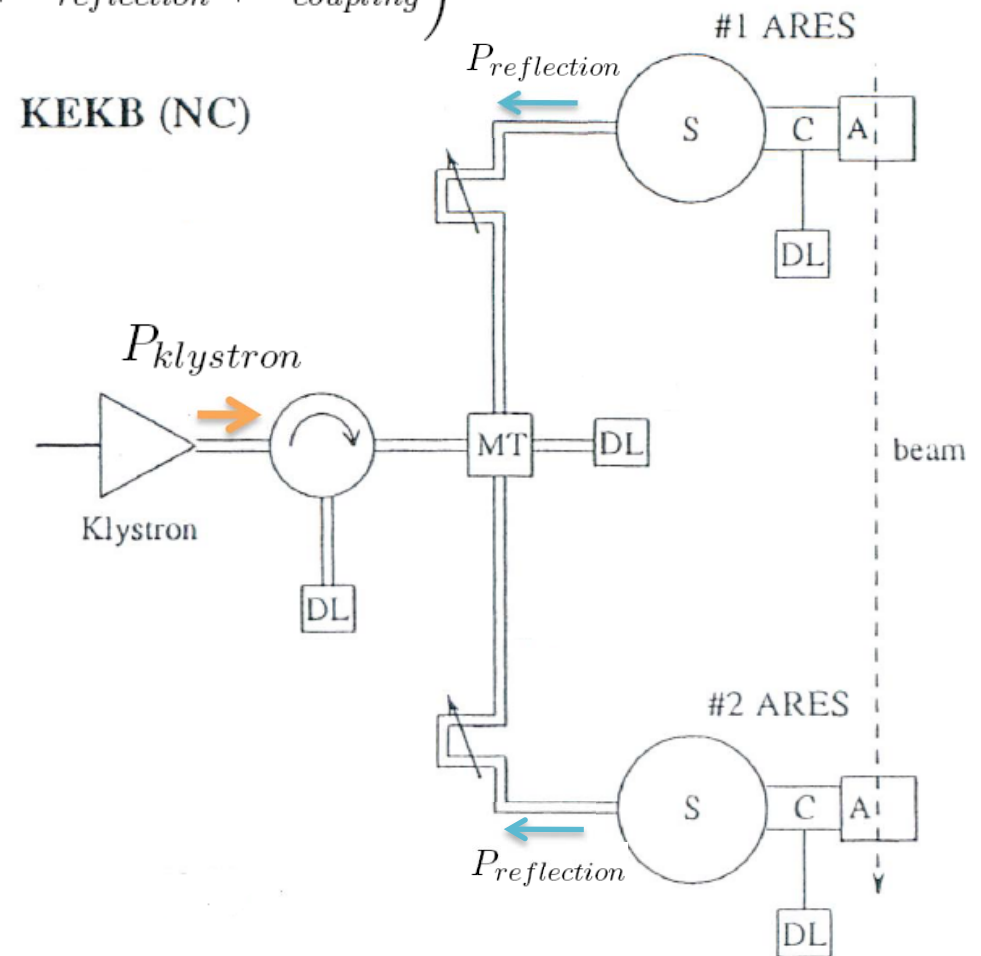
Klystron power calibrated
(K. Akai's suggestion):

$$P_{beam}(I_{beam} = 0) = 0$$

Power of wall loss at each cavity:
154 kW@V_c=0.5 MV

Reference: A. Novokhatski, PAC07

Accelerator physics seminar, KEK, Jul. 23, 2009



K. Akai, KEKB ARC 1999

HOM power (2)

- The models

$$P_{beam} = P_{SR} + P_{HOM}$$

KEKB LER:

$$U_0 = 1.6369316 MV \quad E_0 = 3.5 GeV$$

$$\begin{aligned} P_{SR}[kW] &= U(E)[MV] \cdot I_{beam}[mA] \\ &= U_0[MV] \cdot \left(\frac{E}{E_0}\right)^4 \cdot I_{beam}[mA] \end{aligned}$$

$$P_{HOM} = \kappa_{||}(\sigma_s) \cdot \frac{I_{beam}^2}{N_b} \cdot T_0$$

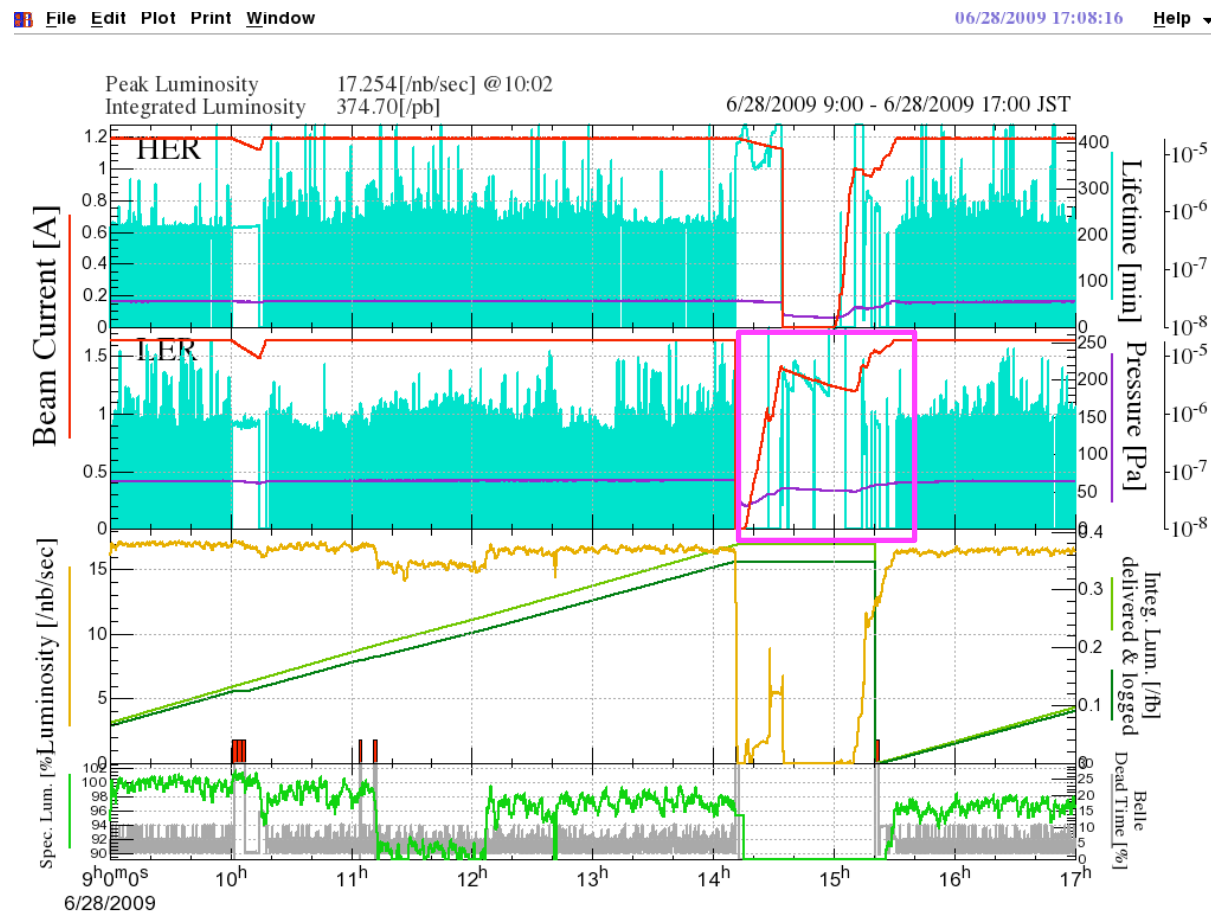
Simple models for loss factor and bunch lengthening:

$$\kappa_{||}(\sigma_s) = c_1 \cdot \sigma_s^{-c_2} \quad \sigma_s(I_{bunch}) = \sigma_s(0)(1 + c_3 \cdot I_{bunch})$$

For simplification, we choose $c_3=0.5/mA$

HOM power (3)

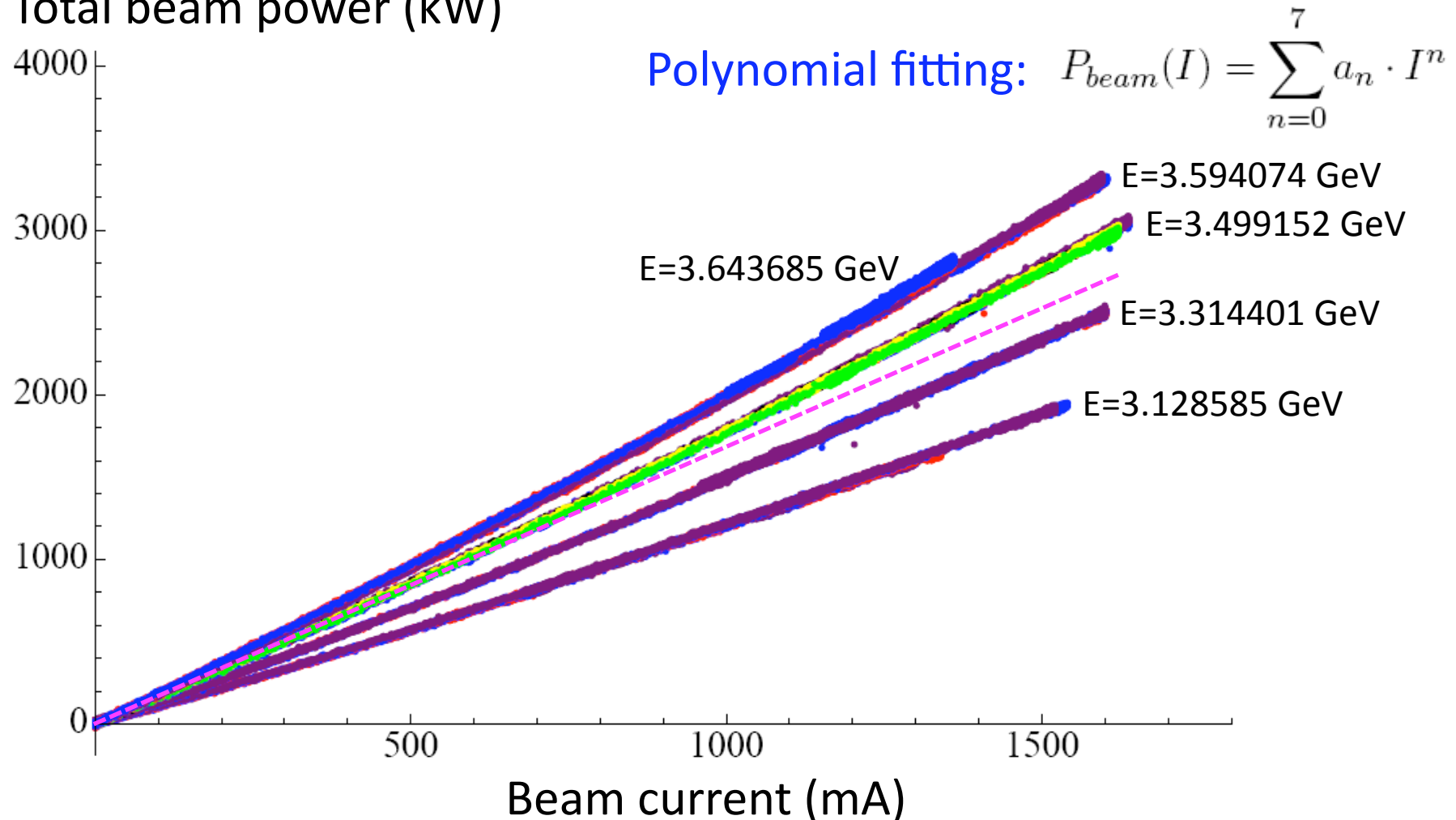
- KBlog data during injection are used to calculate current dependent beam power



Total beam power

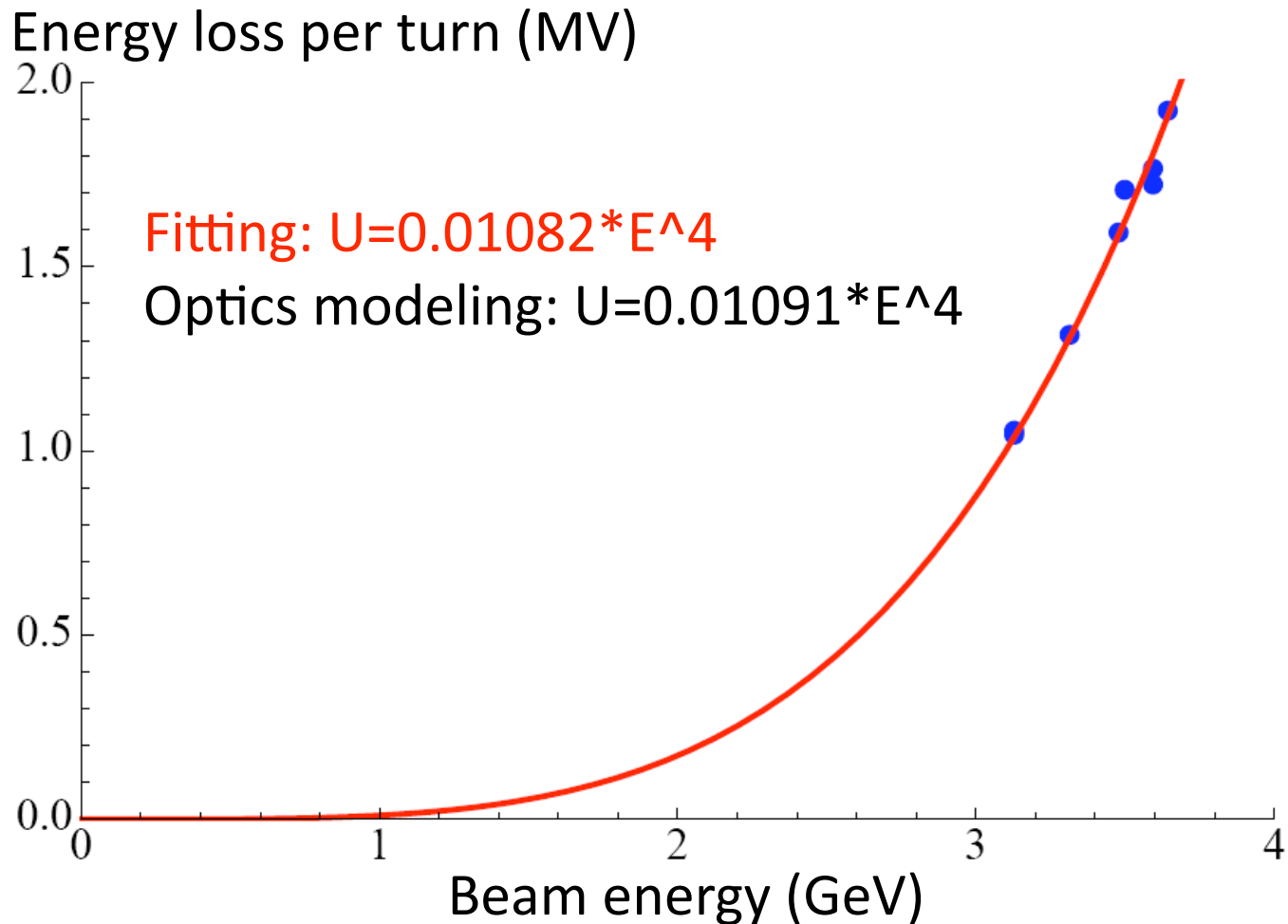
- Use polynomial fitting to extract linear part

Total beam power (kW)



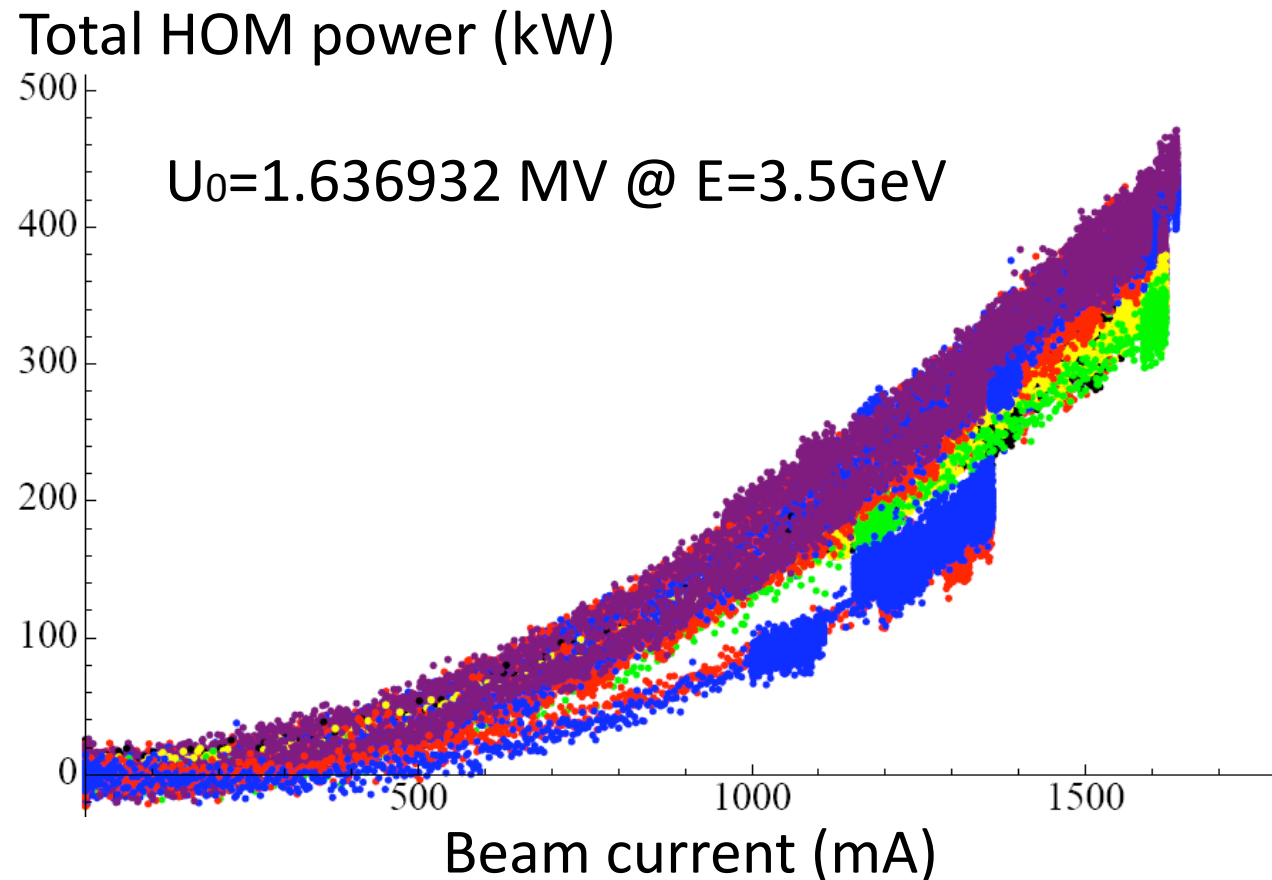
Energy loss per turn

- The fitted SR power agree with estimation by optics model



HOM power with different beam energy

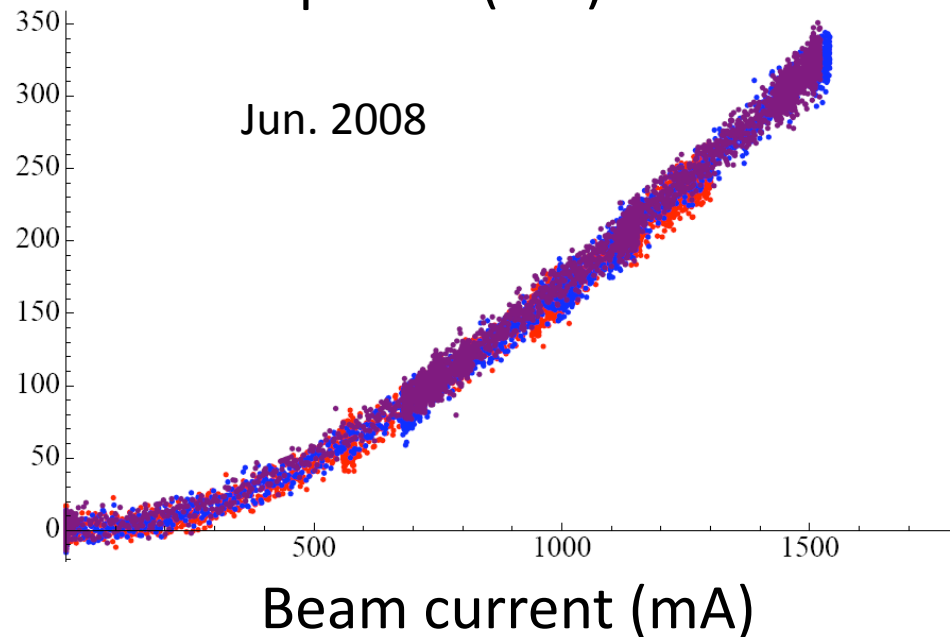
- SR power is estimated using optics model when subtracting SR power from the total beam power



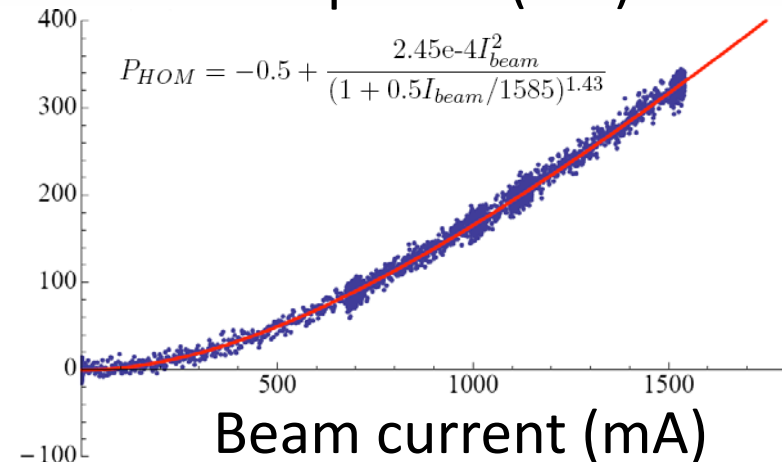
HOM power and loss factor (1)

- $E = 3.128585$ GeV

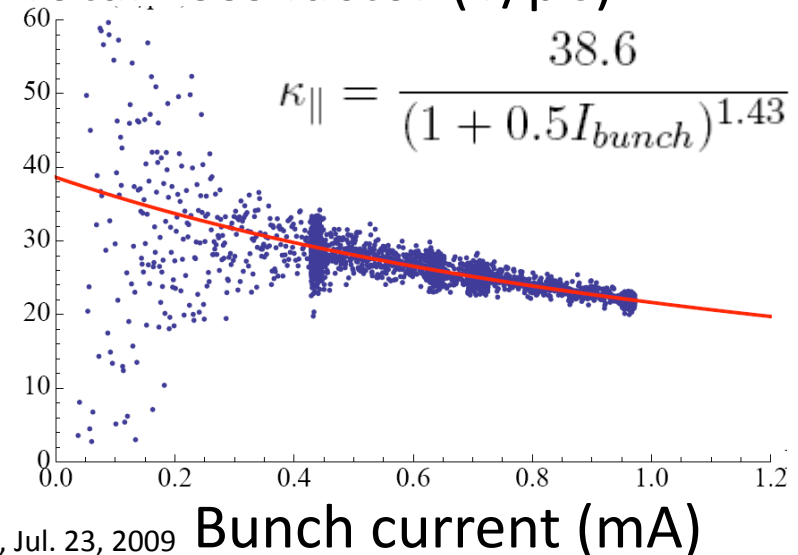
Total HOM power (kW)



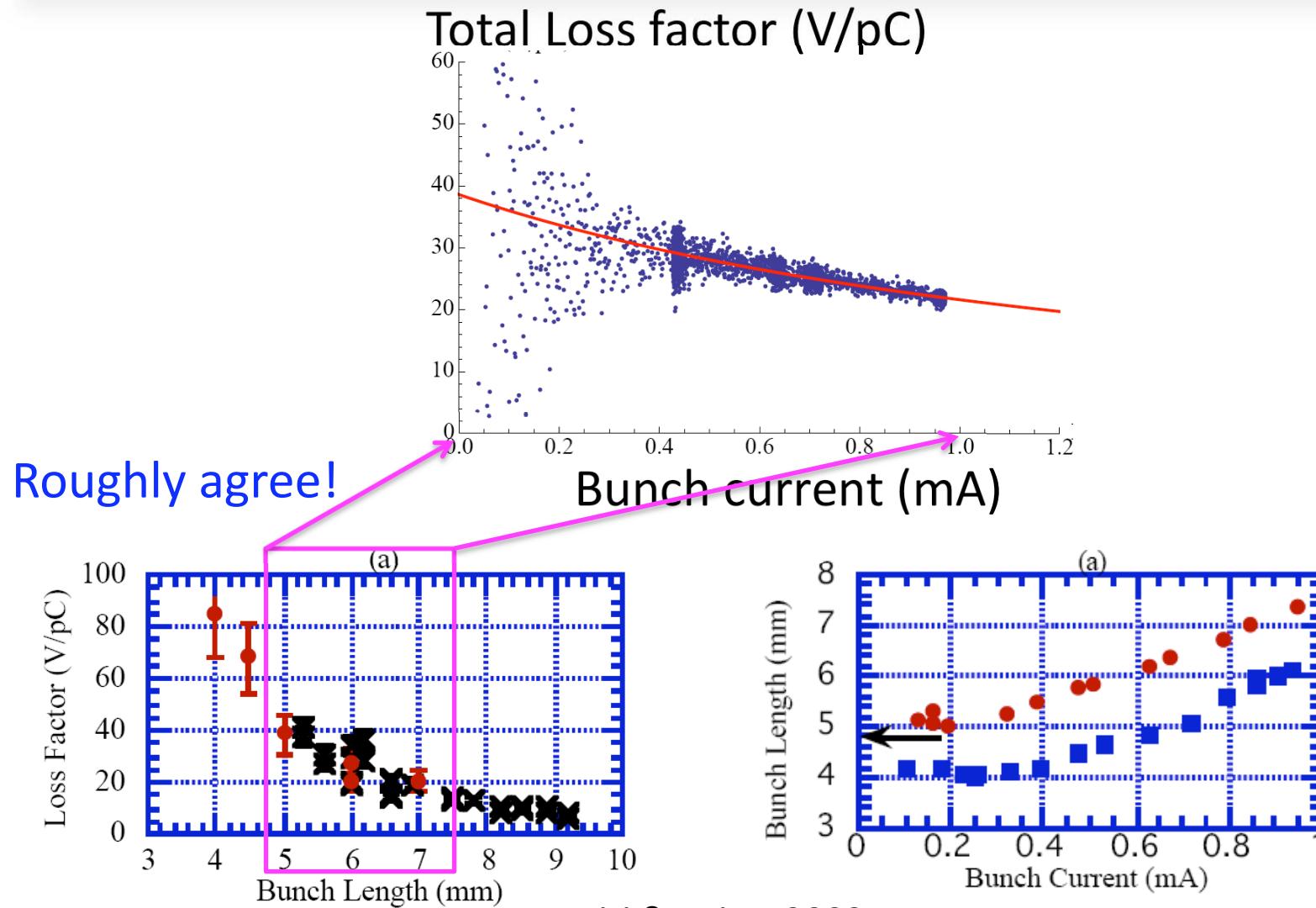
Total HOM power (kW)



Total Loss factor (V/pC)



Compare with direct beam measurements

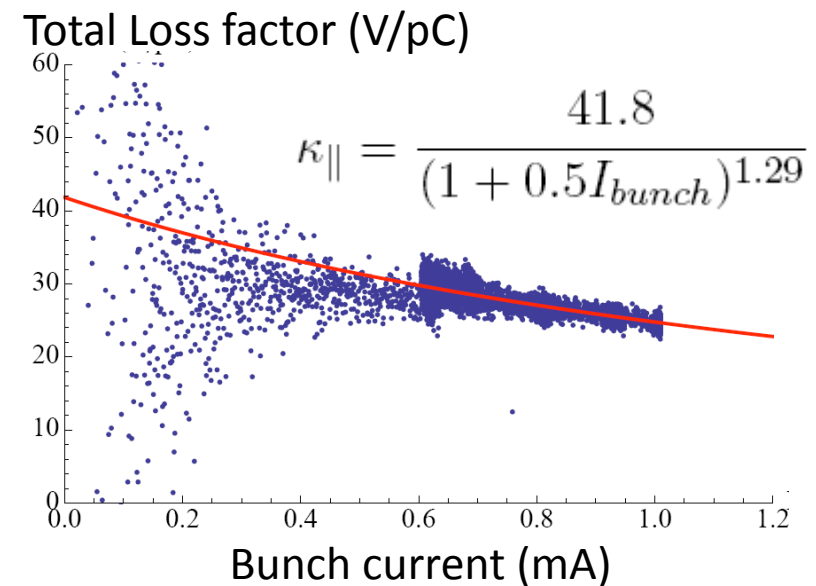
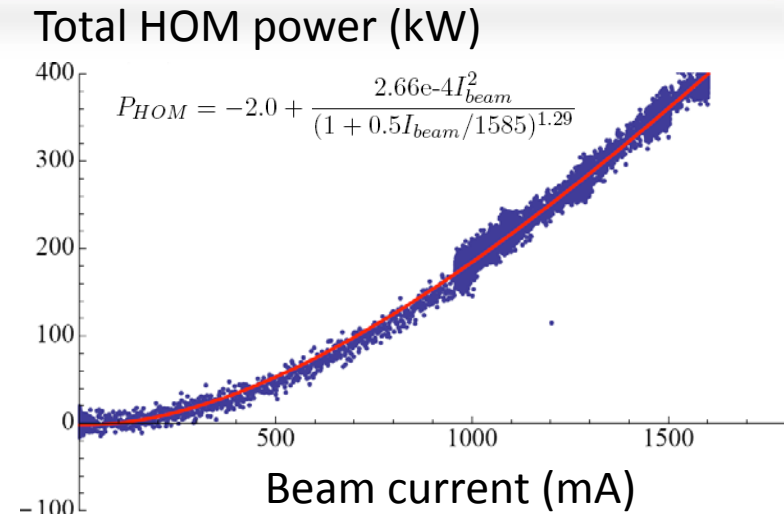
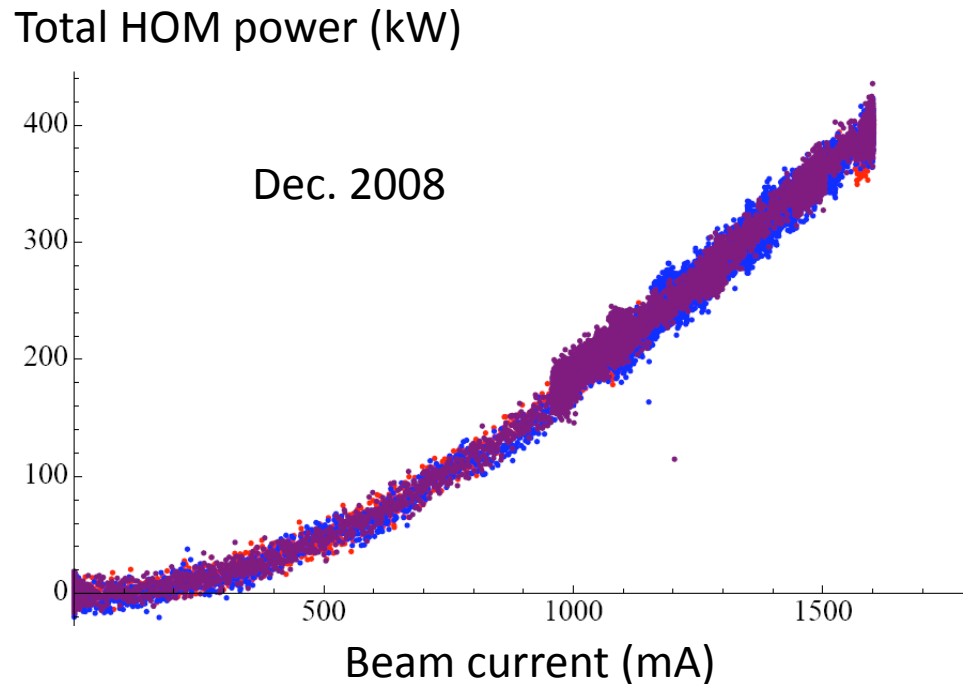


Ieiri & Koiso, 2003

Accelerator physics seminar, KEK, Jul. 23, 2009

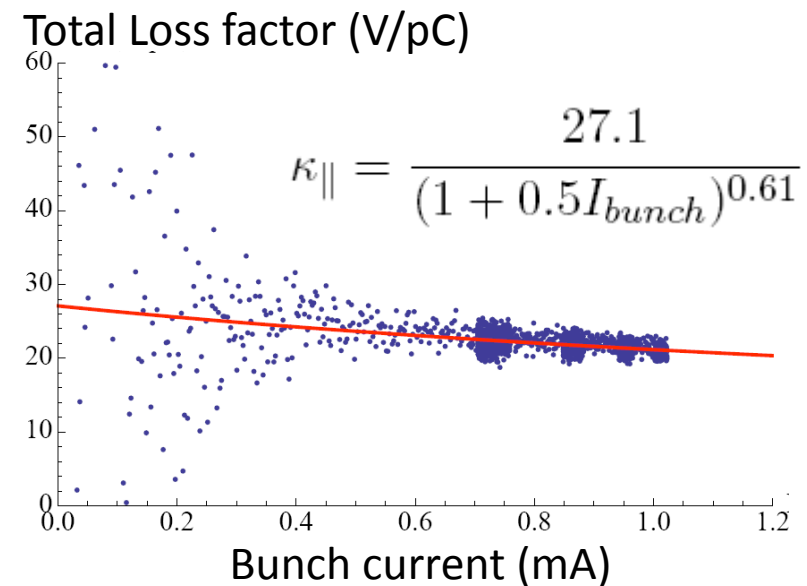
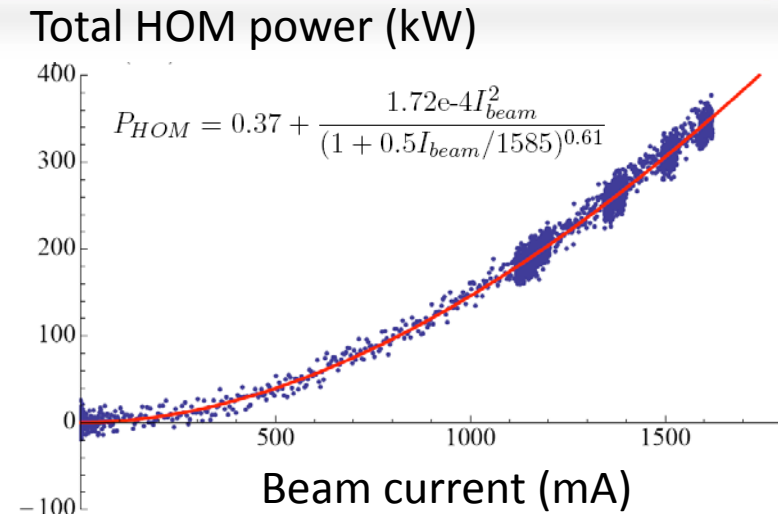
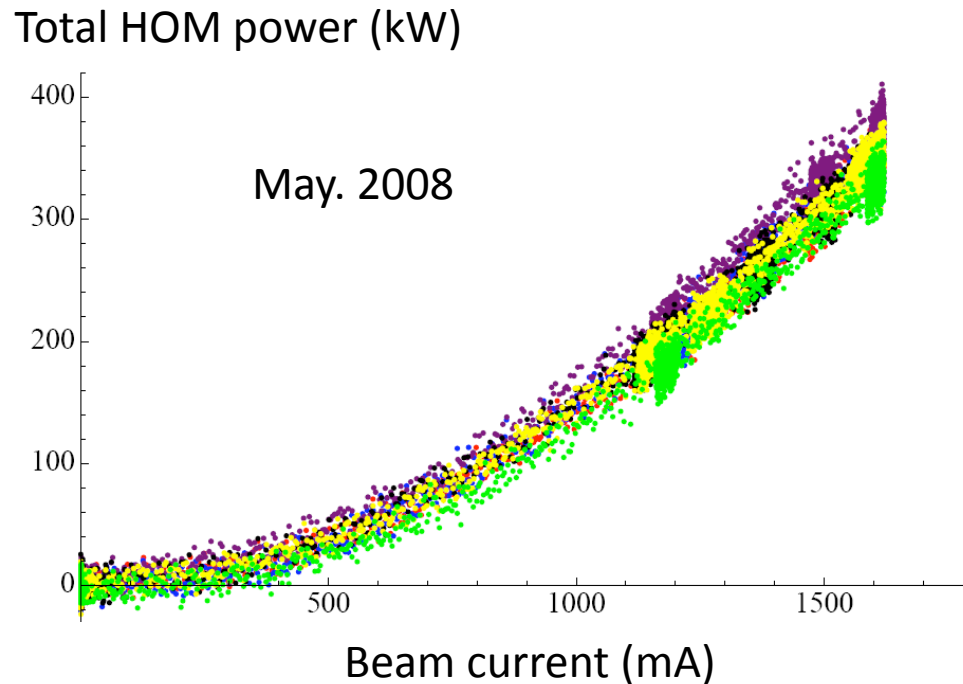
HOM power and loss factor (2)

- $E = 3.314401$ GeV



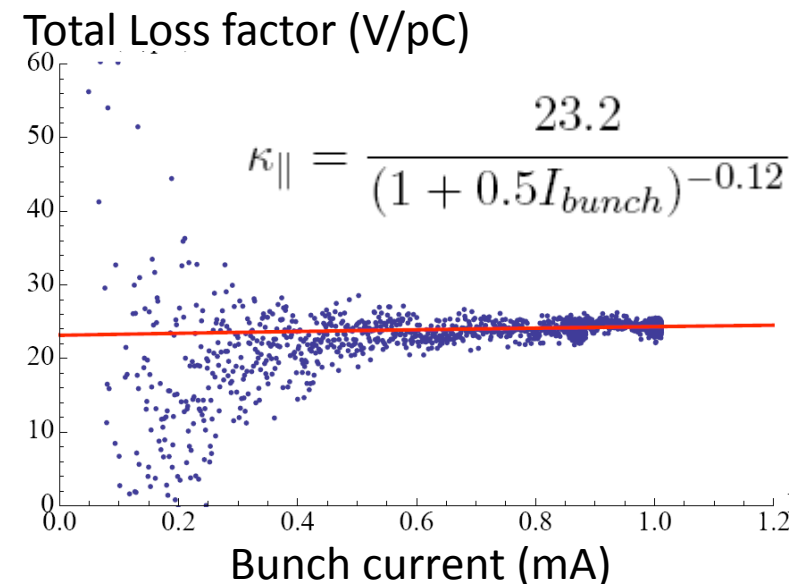
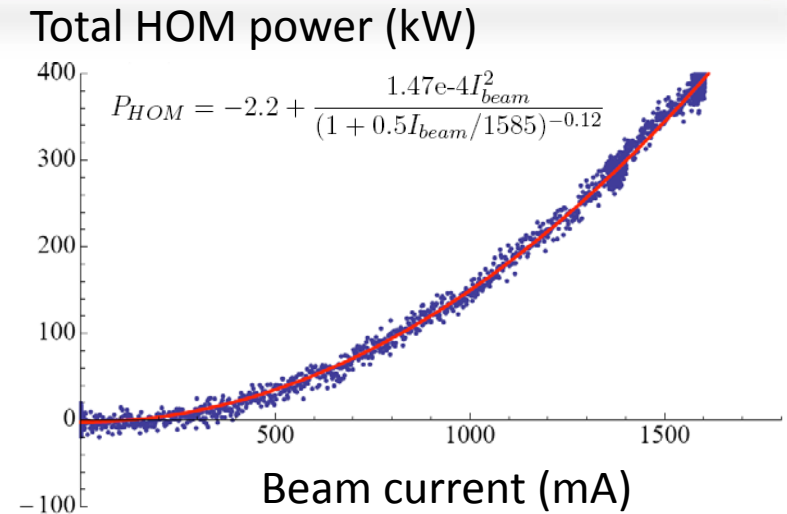
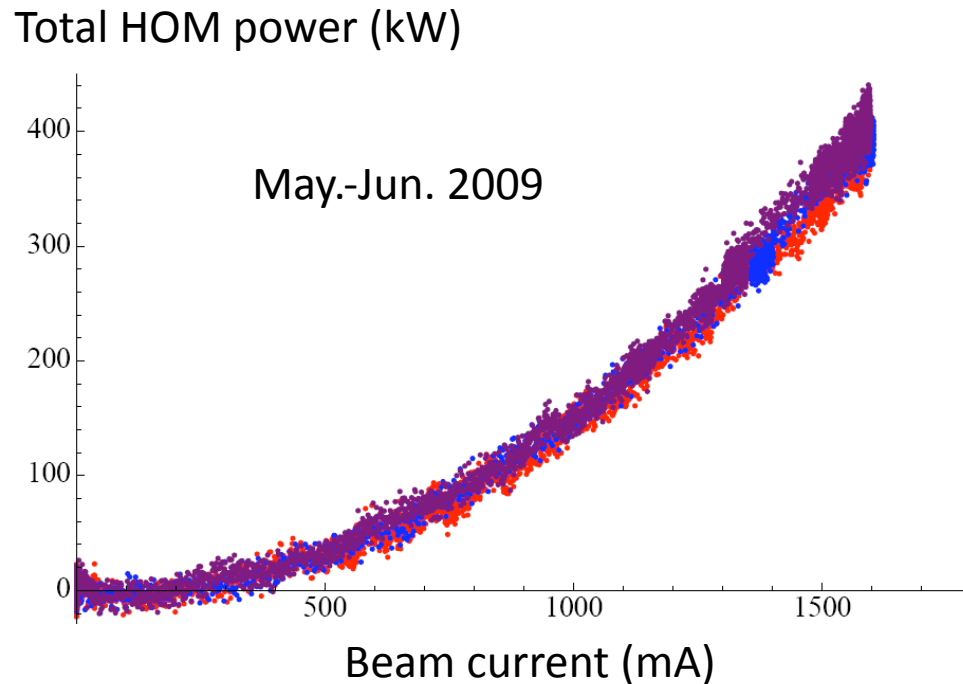
HOM power and loss factor (3)

- $E = 3.499152$ GeV



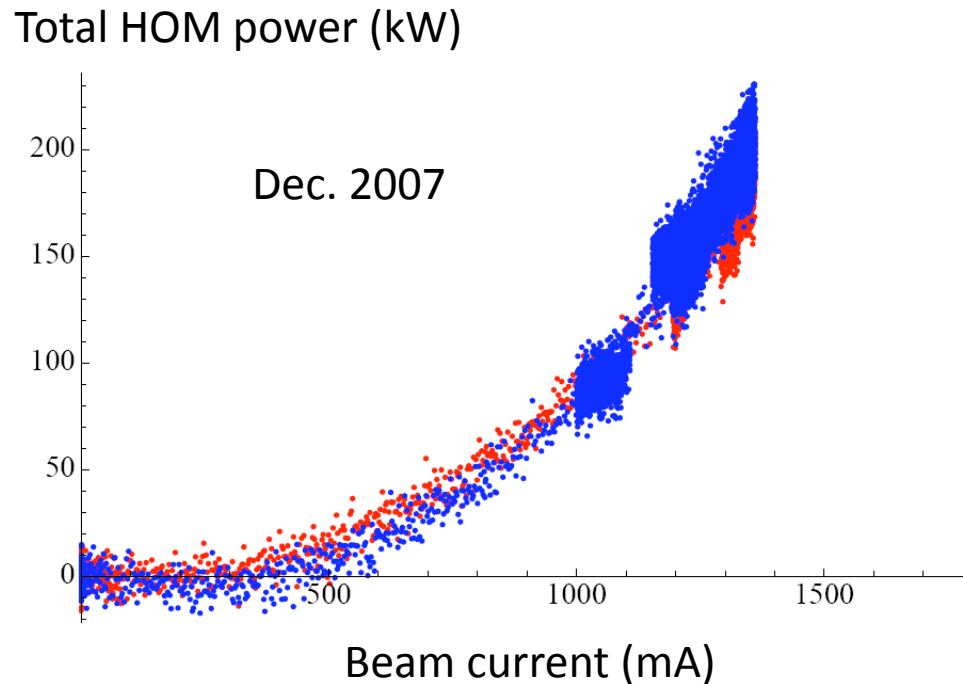
HOM power and loss factor (4)

- $E = 3.594074$ GeV

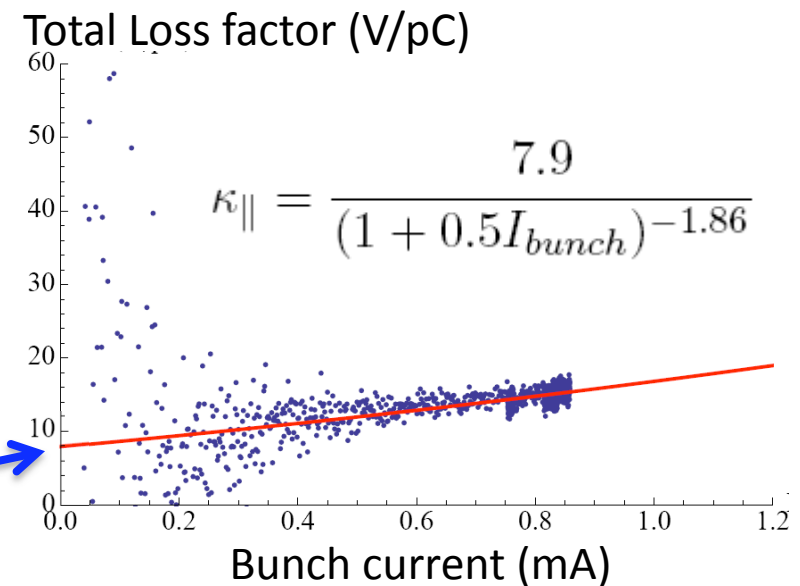
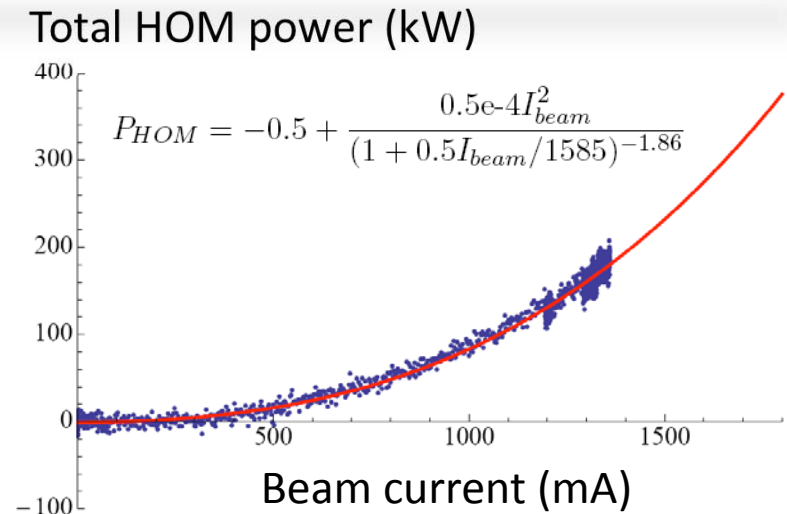


HOM power and loss factor (5)

- $E=3.643685$ GeV



Unphysical!
SR power overestimated ?



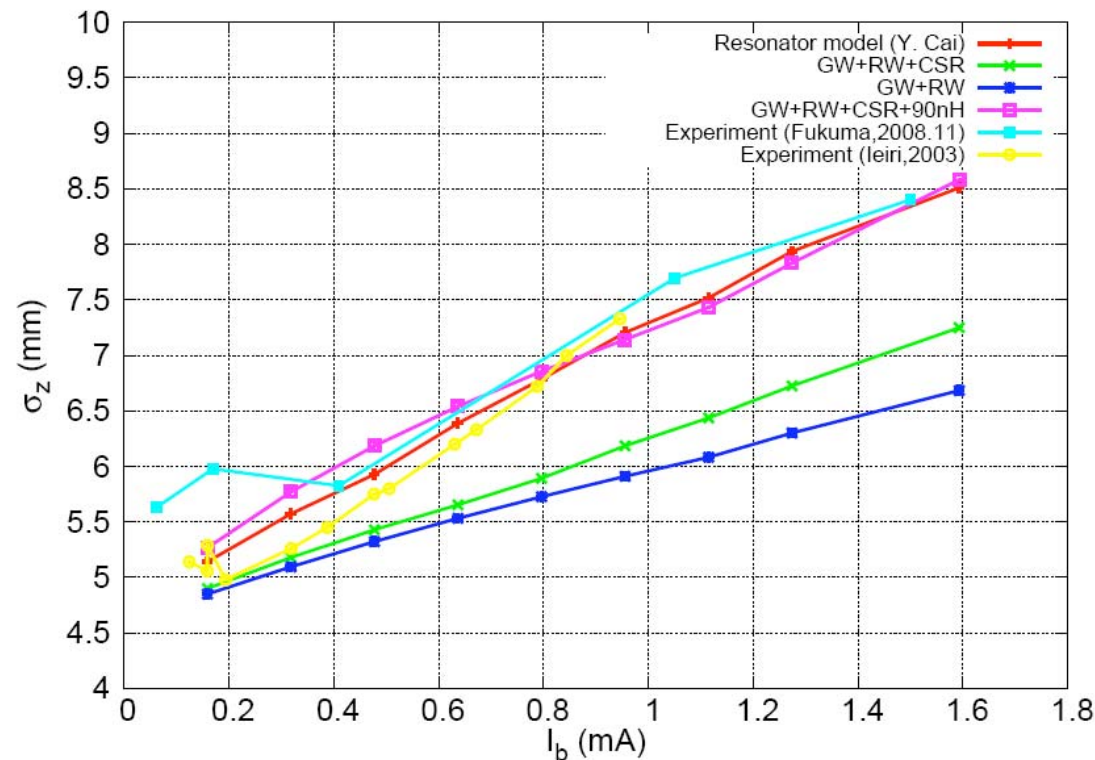
Simulations using VFP solver (2)

- Machine parameters (KEKB LER)

Parameter	Value
E (GeV)	3.5
Sigma_z (mm)	4.58/3
Sigma_p ($\times 10^{-4}$)	7.27
Nu_s (synchrotron tune)	0.024
Tau_s (z damping time, turn)	2000

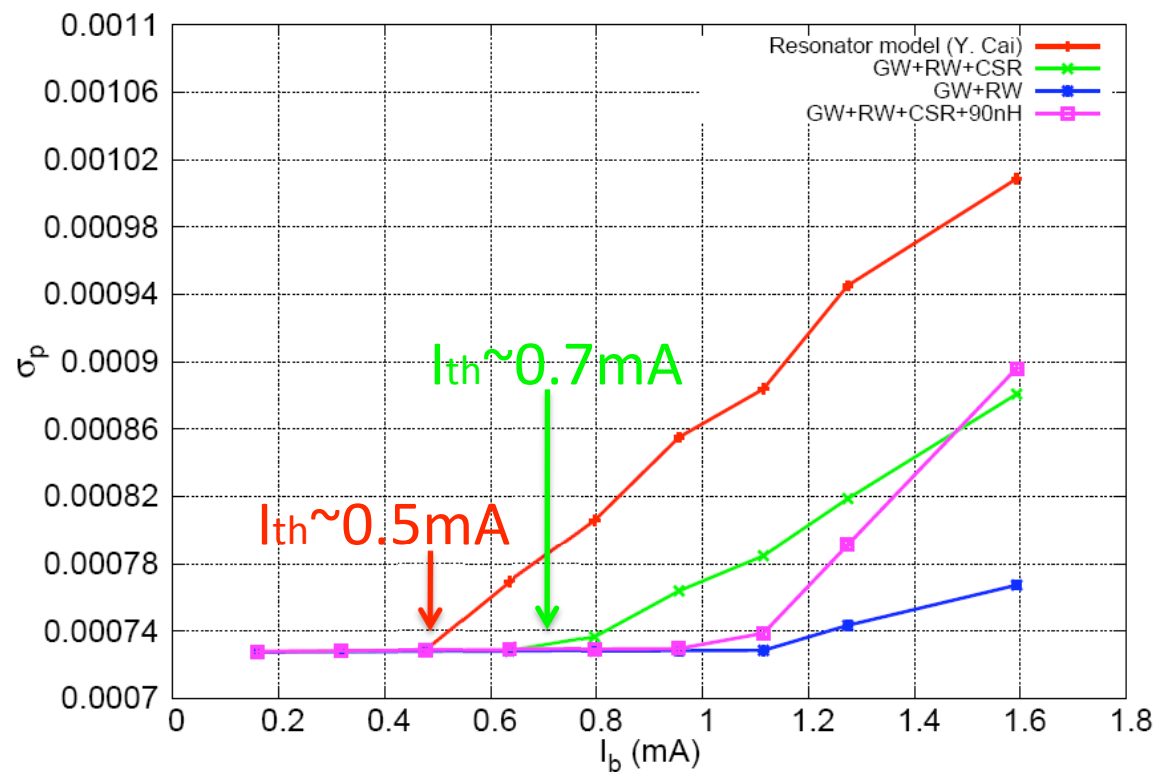
Simulations using VFP solver (2)

- Natural bunch length: 4.58mm
 - Pure inductive wake of around 90nH should be added to the numerical impedance model to get the similar bunch lengthening as measurement shows!



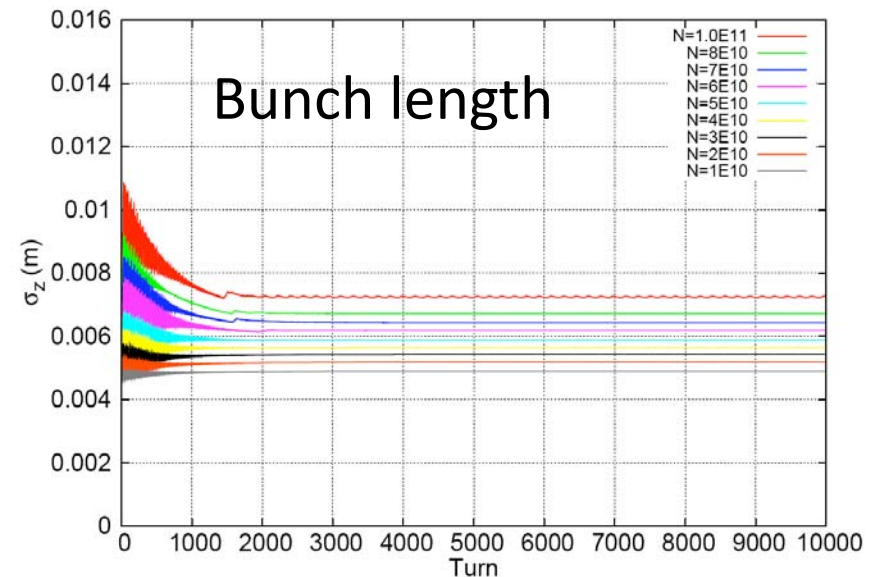
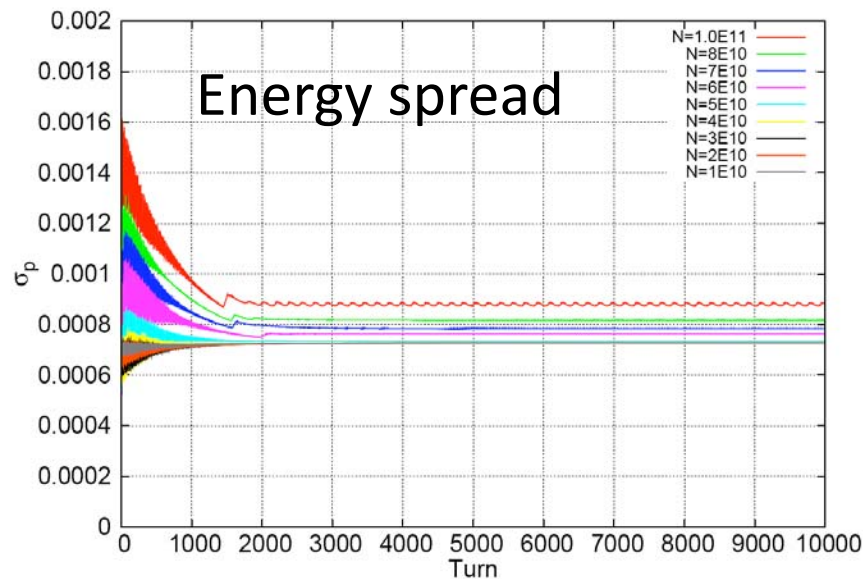
Simulations using VFP solver (3)

- Natural bunch length: 4.58mm
 - But when pure inductive wake is added, the Microwave instability threshold gets higher(?)
 - CSR is important for microwave instabilities



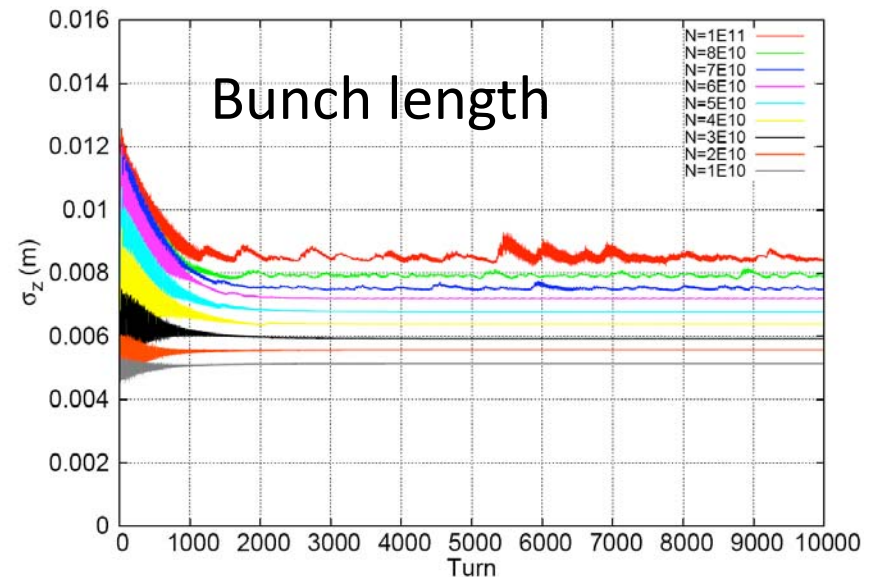
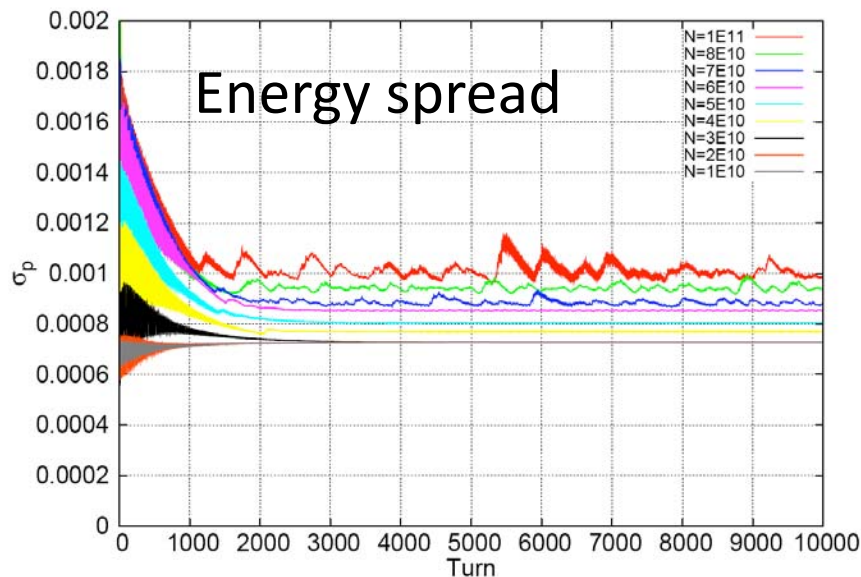
Simulations using VFP solver (4)

- Turn-by-turn energy spread and bunch length with numerical impedance model
 - Beam becomes unstable when bunch population reaches 10×10^{10}



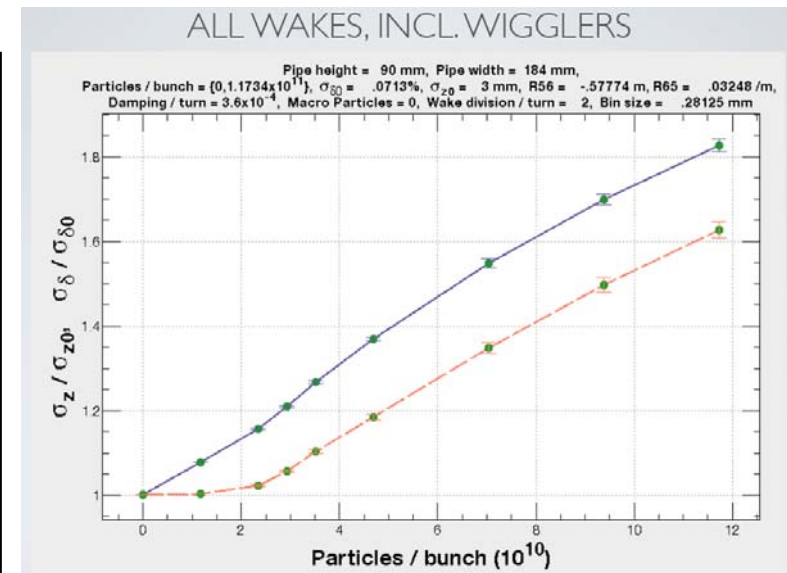
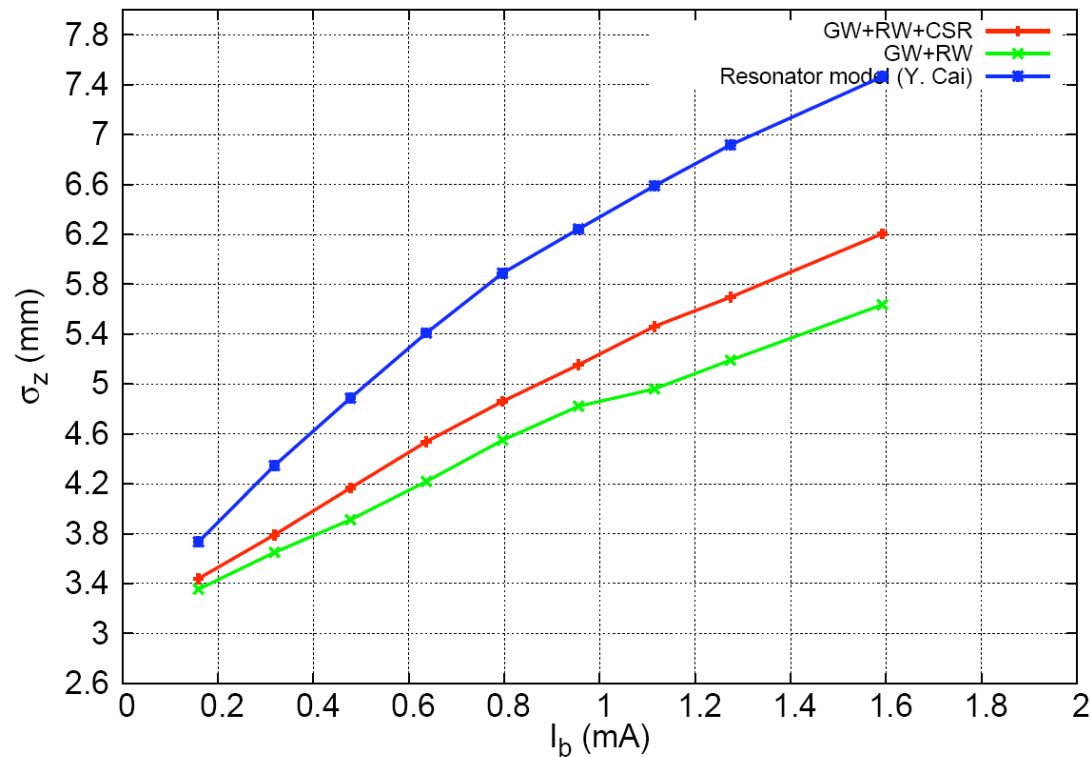
Simulations using VFP solver (5)

- Turn-by-turn energy spread and bunch length with **resonator model**
 - Beam becomes unstable when bunch population exceeds 6×10^{10}



Simulations using VFP solver (6)

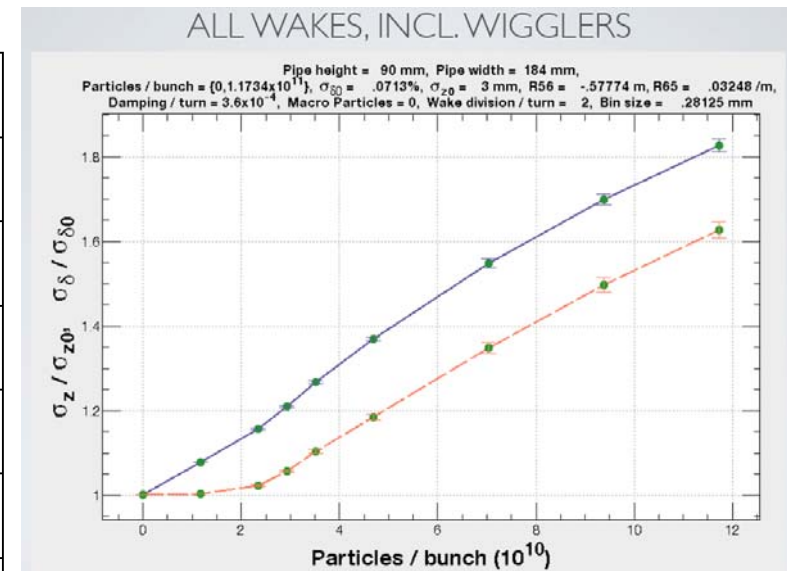
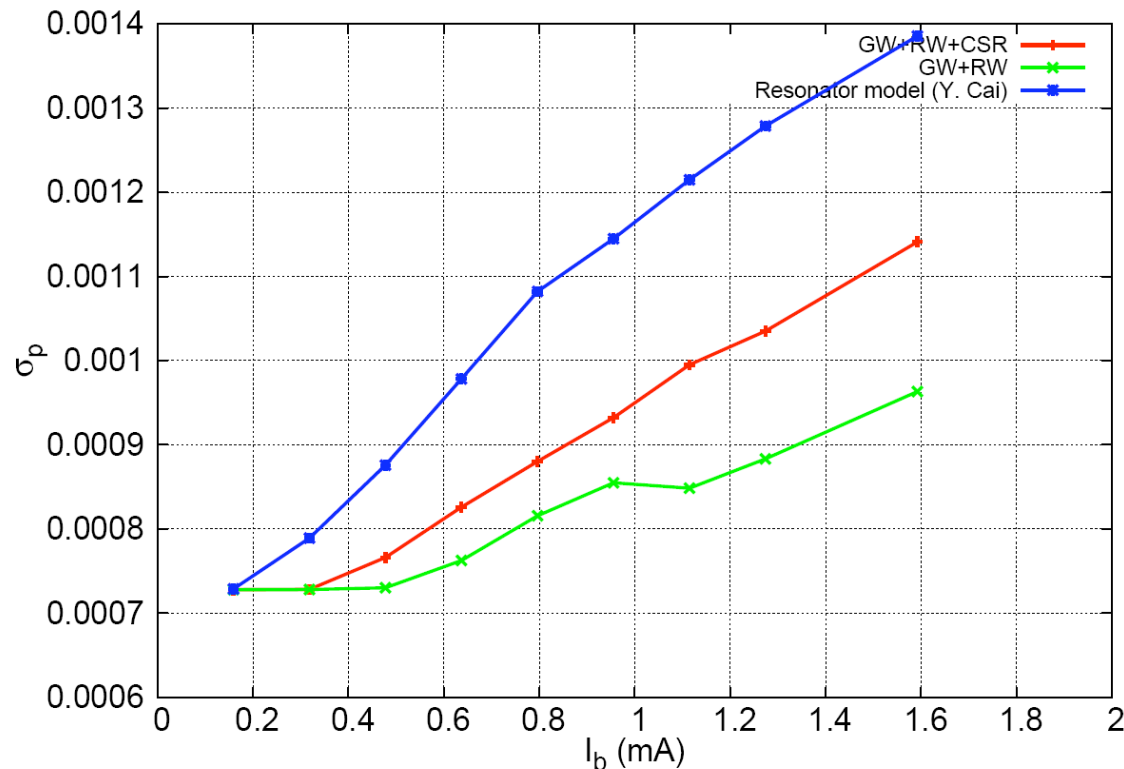
- Natural bunch length: 3mm
 - GW+RW dominate the bunch lengthening
 - With the numerical impedance model (GW+RW+CSR), the bunch lengthening is similar to the case of SuperKEKB (short bunch option)



K. Oide, KEKB ARC 2009

Simulations using VFP solver (7)

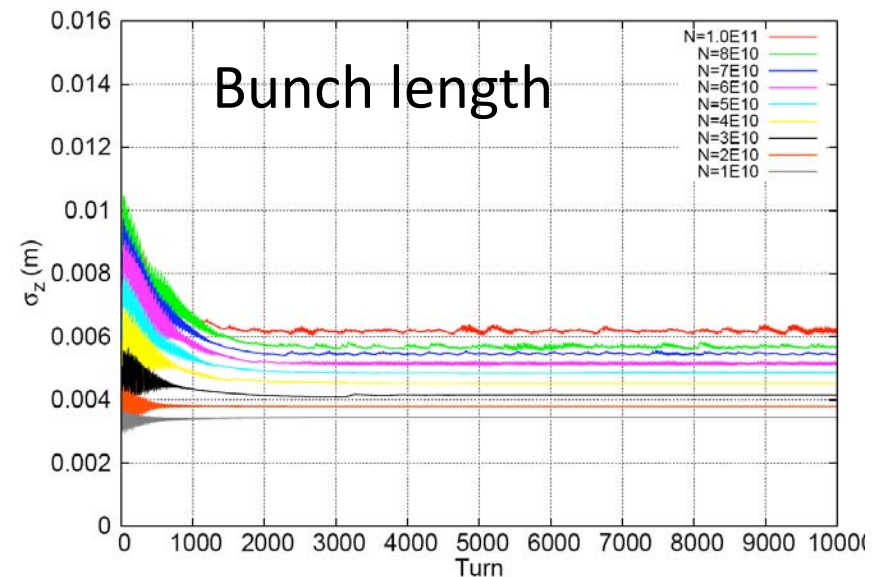
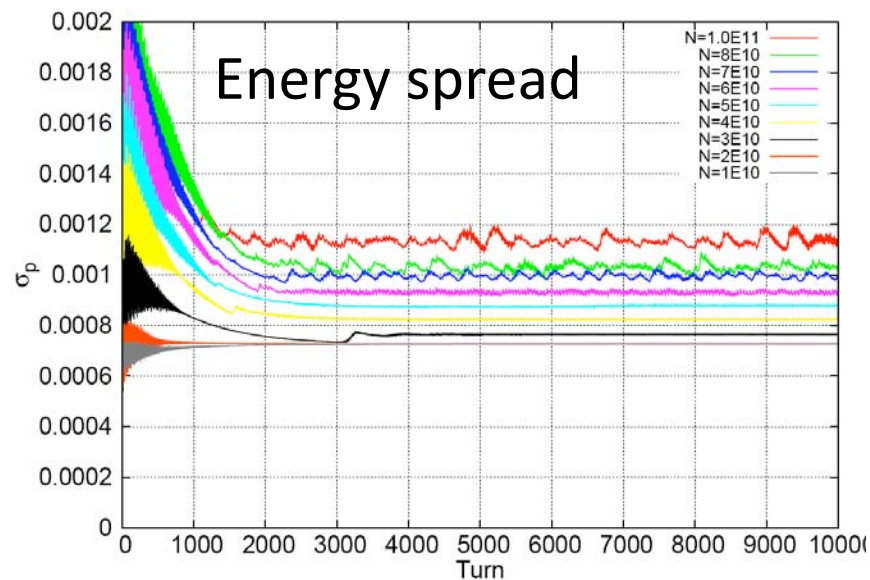
- Natural bunch length: 3mm
 - With the numerical impedance model (GW+RW+CSR), the MWI is also similar to the case of SuperKEKB (short bunch option)



K. Oide, KEKB ARC 2009

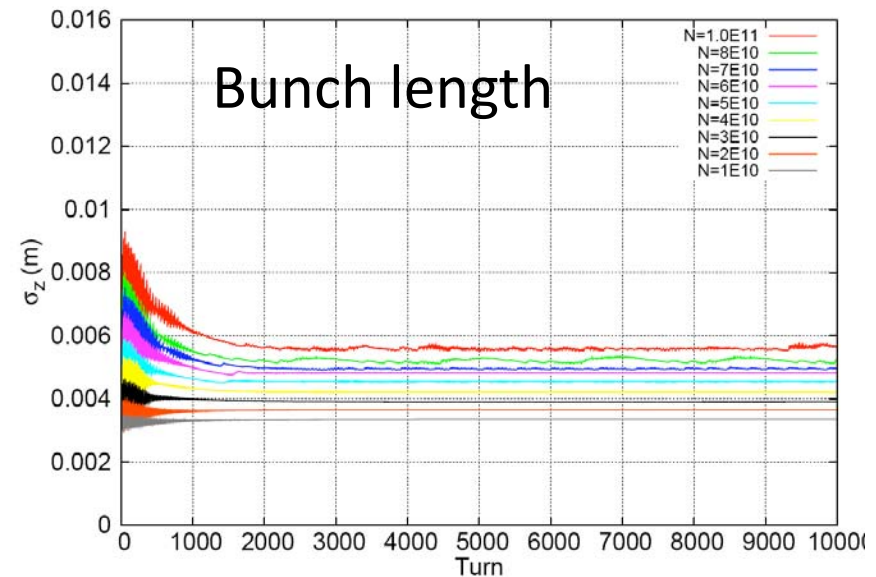
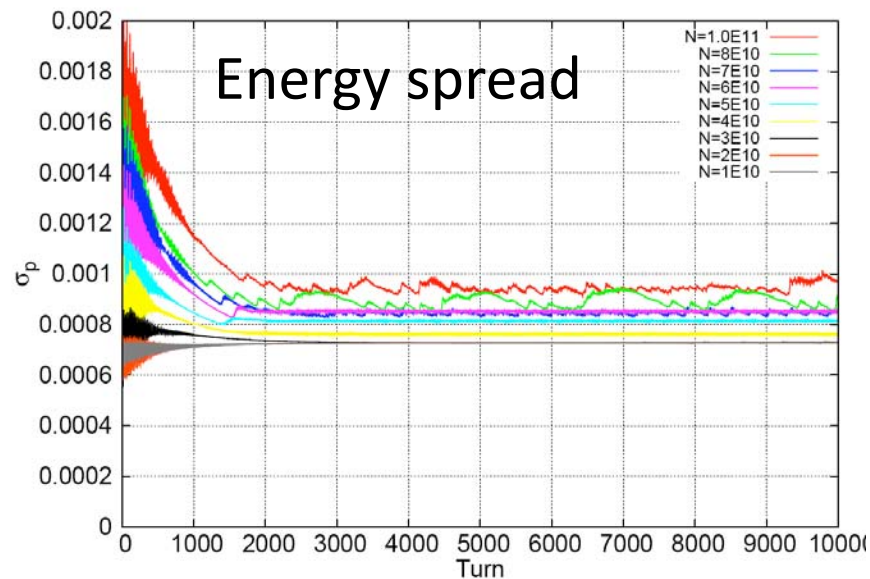
Simulations using VFP solver (8)

- Turn-by-turn energy spread and bunch length with **GW+RW+CSR**
 - Beam becomes unstable when bunch population exceeds 5×10^{10}



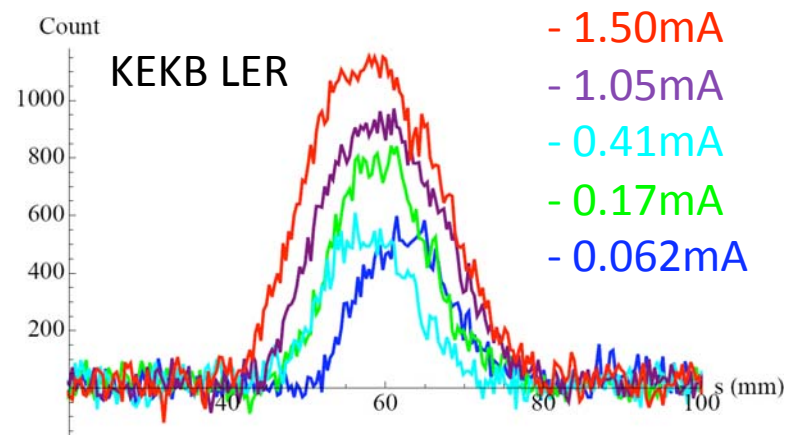
Simulations using VFP solver (9)

- Turn-by-turn energy spread and bunch length with **GW+RW**
 - Beam becomes unstable when bunch population exceeds 6×10^{10}



An attempt to extract impedance directly from bunch profile (with help from Y. Cai and A. Chao)

- Idea: inverse problem of Haissinski equation
- Data: Streak camera
- Challenges
 - Noise
 - Bunch center



H. Fukuma, 2008.11

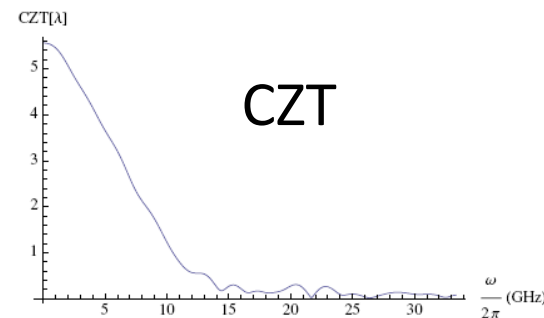
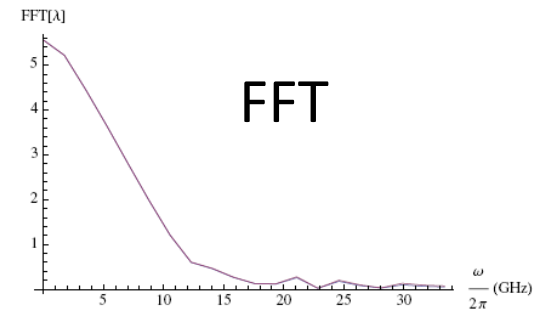
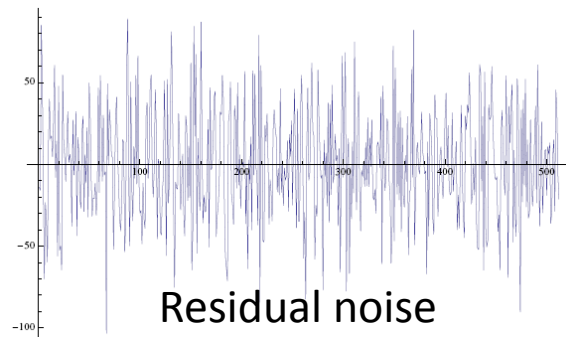
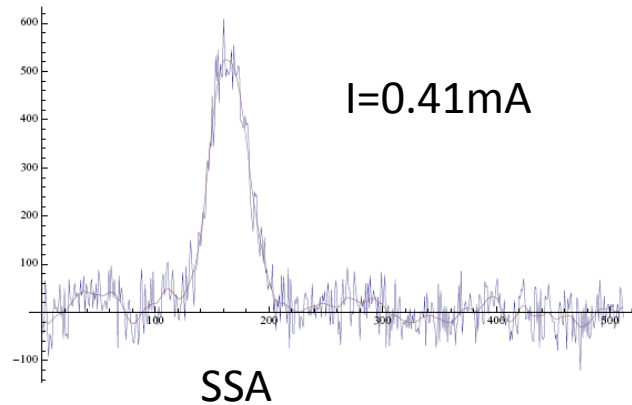
Haissinski Equation:

$$\lambda(q) = \frac{1}{K} \text{Exp} \left[-\frac{q^2}{2} + I_n \int_{-\infty}^q dq'' \int_{-\infty}^{\infty} dq' \lambda(q') W(q'' - q') \right]$$

Inverse problem:
$$Z(\omega) = \frac{i\omega \int_{-\infty}^{\infty} \left\{ \ln[K\lambda(q)] + \frac{q^2}{2} \right\} e^{-i\omega q} dq}{I_n \int_{-\infty}^{\infty} \lambda(q) e^{-i\omega q} dq}$$

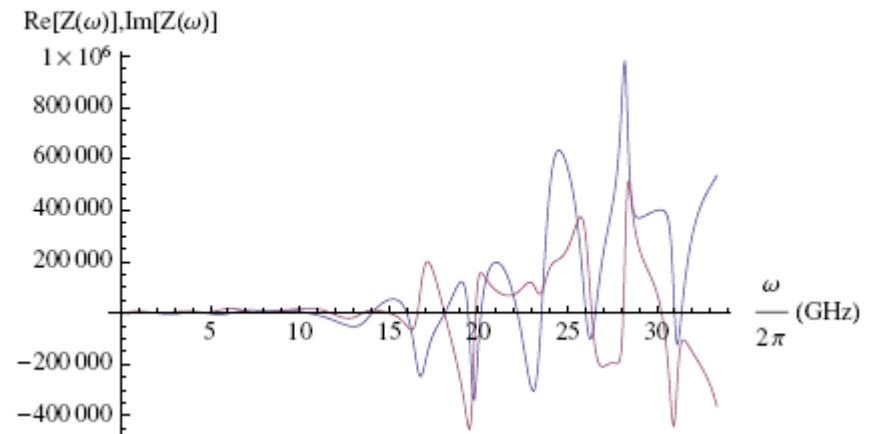
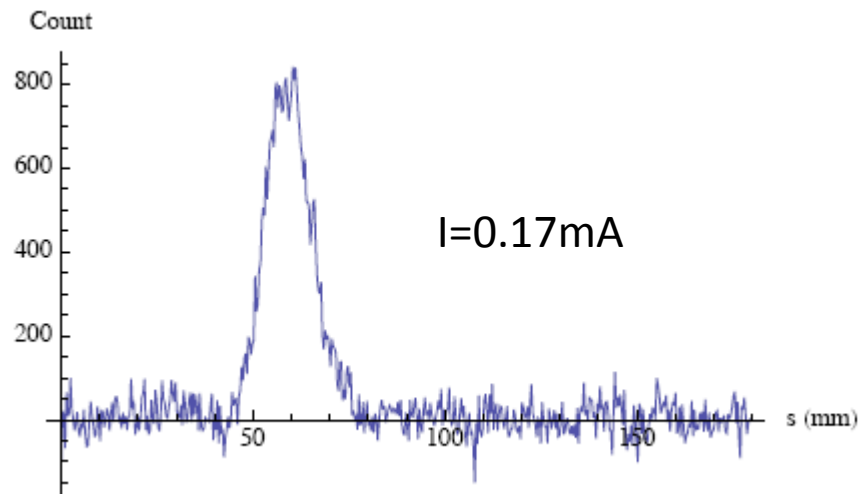
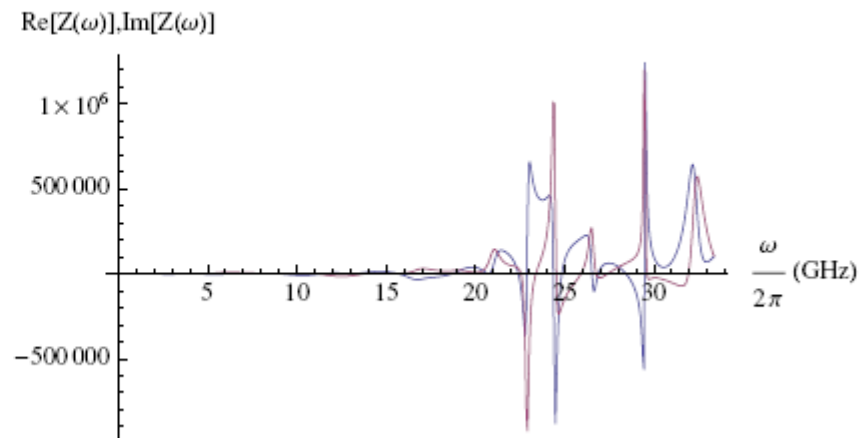
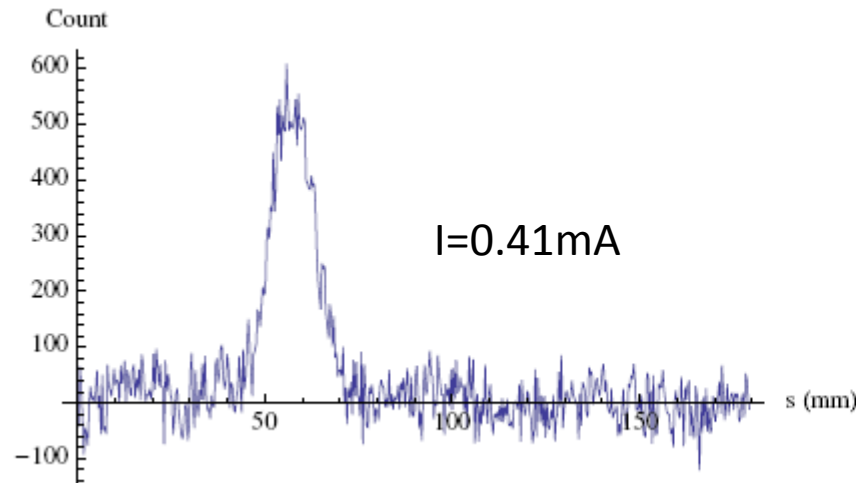
An attempt to extract impedance directly from bunch profile (with help from Y. Cai and A. Chao)

- Recent progress
 - **SSA**(Singular Spectrum Analysis) technique applied to remove noise
 - **CZT**(Chirp Z-Transform) applied to improve frequency resolution



An attempt to extract impedance directly from bunch profile (with help from Y. Cai and A. Chao)

- First result



Summary (1)

- Loss factor
 - The numerical impedance model predict lower loss factor at $\sigma < 5\text{mm}$ and higher loss factor at $\sigma > 7\text{mm}$ (Gaussian bunch)
 - RF power balance method roughly agrees with beam phase measurements, more work need to be done
- Bunch lengthening
 - The numerical impedance model predict much weaker bunch lengthening than measurements and Y. Cai's resonator model
 - The discrepancy is around 90nH

Summary (2)

- Microwave instability
 - The bunch current threshold predicted by numerical impedance model is around 0.7mA
 - CSR can be important source of MWI
- Open questions
 - Other sources of impedance not taken into account?
 - CSR is well calculated?

Thanks for your attention!

Backup (1)

- Negative momentum compaction ($\sigma_0 = 3\text{ mm}$)

