

7th. June. 2004 KEK-PS External Review

***Non-Mesonic Weak Decays of ${}^5_{\Lambda}\text{He}$ and ${}^{12}_{\Lambda}\text{C}$
hypernuclei in (π^+, K^+) reactions***

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for KEK-PS E462 / E508 collaborations

KEK-PS E462 (2000 – 2001) : ${}^5_{\Lambda}\text{He}$

KEK-PS E508 (2002) : ${}^{12}_{\Lambda}\text{C}$

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* Present main analysis member (Ph.D student)

Weak decay of Λ hypernucleus

Λ weak decay in free space

$$\Lambda \rightarrow p + \pi^- : 63.9 \pm 0.5 \%$$

$$\Lambda \rightarrow n + \pi^0 : 35.8 \pm 0.5 \%$$

$$\tau_\Lambda = 263.2 \pm 2.0 \text{ ps}$$

→ Well known.

Weak decay mode of Λ hypernucleus

$$1/\tau_{\text{HY}} = \Gamma_{\text{tot}} \begin{cases} \Gamma_{\text{m}} \begin{cases} \Gamma_{\pi^-} (\Lambda \rightarrow p + \pi^-) \\ \Gamma_{\pi^0} (\Lambda \rightarrow n + \pi^0) \end{cases} & \text{Mesonic} \\ & q \sim 100 \text{ MeV}/c \\ \Gamma_{\text{nm}} \begin{cases} \Gamma_p (\Lambda + \text{"p"} \rightarrow n + p) \\ \Gamma_n (\Lambda + \text{"n"} \rightarrow n + n) \end{cases} & \text{Non-Mesonic (NMWD)} \\ & q \sim 400 \text{ MeV}/c \end{cases}$$

Study of the mechanism of **baryon-baryon weak interaction**

Non-mesonic weak decay

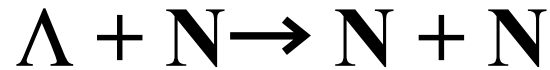
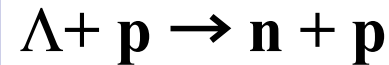
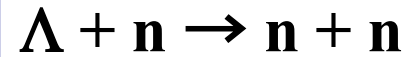


TABLE II. Six amplitudes in NM decay process whose initial ΛN system is relative S states.

Initial	Final	Matrix element	Rate	I_f	Parity change
1S_0	1S_0	a	a^2	1	no
	3P_0	$\frac{b}{2}(\sigma_1 - \sigma_2)q$	b^2	1	yes
3S_1	3S_1	c	c^2	0	no
	3D_1	$\frac{d}{2\sqrt{2}}S_{12}(q)$	d^2	0	no
	1P_1	$\frac{\sqrt{3}}{2}e(\sigma_1 - \sigma_2)q$	e^2	0	yes
	3P_1	$\frac{\sqrt{6}}{4}f(\sigma_1 + \sigma_2)q$	f^2	1	yes



$$: \Gamma_p = a^2 + b^2 + c^2 + d^2 + e^2 + f^2$$



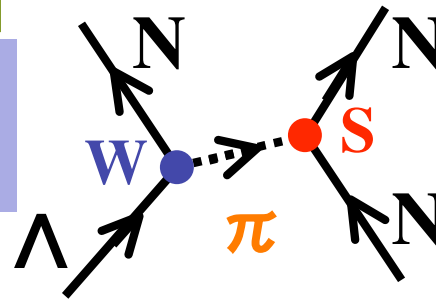
$$: \Gamma_n = a^2 + b^2 + f^2$$

Γ_n / Γ_p ratio

: The most important observable to study the isospin structure of the NMWD.

Simple theoretical model

One Pion Exchange (OPE) model



strong tensor coupling ($\Delta L=2, \Delta S=2$)

→ dominant term

$^3S_1 \rightarrow ^3D_1$ (amplitude "d")

$$\text{OPE} : \Gamma_n / \Gamma_p \sim 0.1$$

$$\text{Exp.} : \Gamma_n / \Gamma_p \sim 1$$

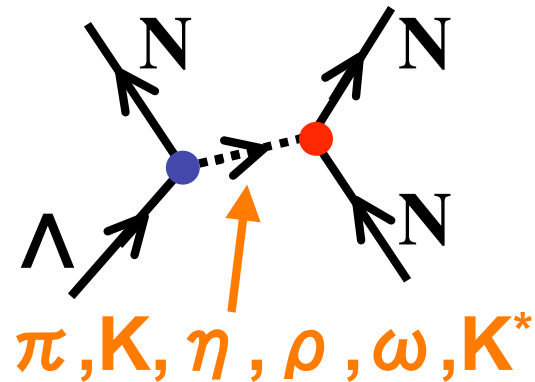
Γ_n / Γ_p ratio puzzle

with large error

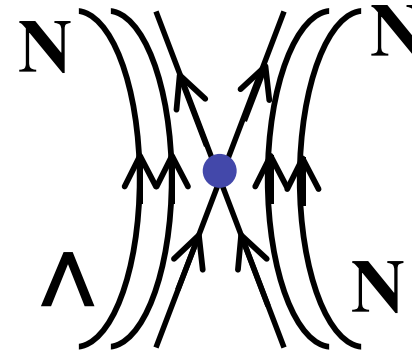
Theoretical approach

$q \sim 400 \text{ MeV}/c$ (\leftarrow large!) \rightarrow **short-distance interaction**
(\rightarrow range $\sim 0.5 \text{ fm}$)

One Meson Exchange (OME) mechanism



Direct Quark (DQ) mechanism



- Kaon exchange model (OME)

\rightarrow dominant term ${}^3S_1 \rightarrow {}^1P_1$ (amplitude "f")

\rightarrow **large Γ_n / Γ_p ($\sim 0.4-0.7$)**

Experimental difficulty

Most of the experiments **measured only proton energy spectra**

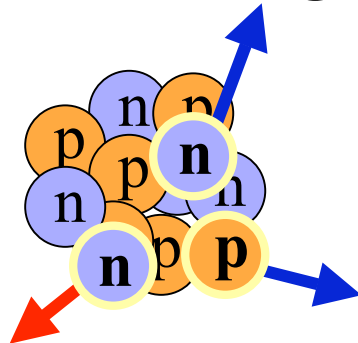
$$\rightarrow \Gamma_n / \Gamma_p = (\Gamma_{nm} - \Gamma_p) / \Gamma_p$$

(because of the difficulty in detecting neutrons)

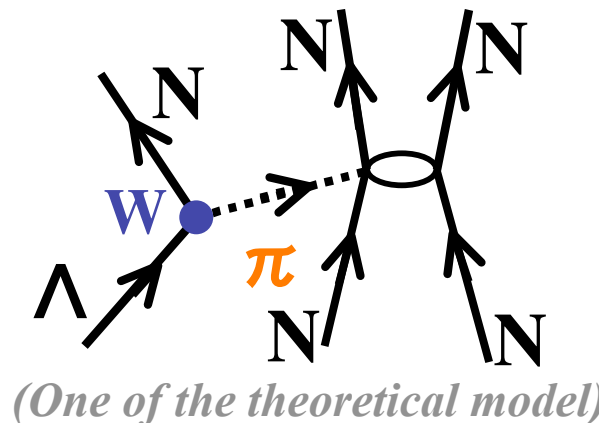
- ✓ **Proton energy loss** inside a target and detectors
- ✓ **Final state interaction (FSI) effect**
(← not well established theoretically)
- ✓ to distinguish between the FSI and **2N-induced process** ($\Lambda NN \rightarrow nNN$)

Final state interaction
(FSI) effect

rescattering



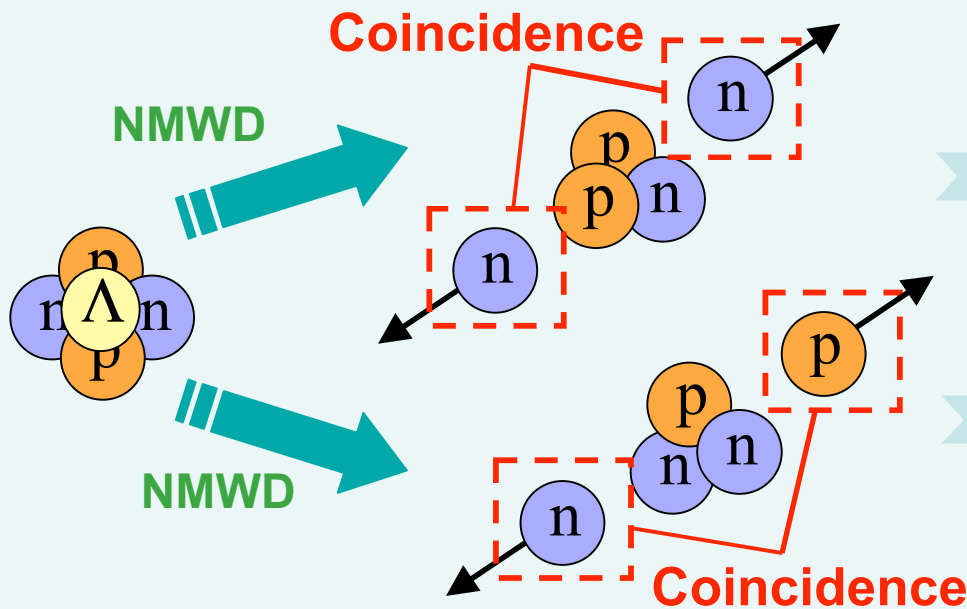
$\Lambda NN \rightarrow NNN$
(2N-induced process)



The present experiment

KEK-PS E462/E508

NMWD : $\Lambda N \rightarrow NN$



- 1) Angular correlation
(back-to-back, $\cos\theta < -0.8$)
- 2) Energy correlation
($Q \sim E(N1)+E(N2) \sim 152\text{MeV}$)

Direct measurement
of the Γ_n / Γ_p ratio

⇒ Select $\Lambda N \rightarrow NN$ events
w/o FSI effect & $\Lambda NN \rightarrow NNN$.

$$N(\Lambda n \rightarrow nn) \times (\Omega_n \times \Omega_n)_{\text{av.}} \times \varepsilon_n^2 \times (1 - R_{\text{FSI}})$$

$$N(\Lambda p \rightarrow np) \times (\Omega_n \times \Omega_p)_{\text{av.}} \times \varepsilon_n \times \varepsilon_p \times (1 - R_{\text{FSI}})$$

* $\cos\theta < -0.8$

* $E(N1)+E(N2)$ cut

$$\frac{\Gamma_n}{\Gamma_p} = \frac{N(\text{nn - pair coin})}{N(\text{np - pair coin})} \times \frac{\varepsilon_p}{\varepsilon_n}$$

Feature of the present experiment

- $\Lambda + \text{“p”} \rightarrow n$ } **Measure both np- and nn- pair!**
+ p
- $\Lambda + \text{“n”} \rightarrow n + n$ } **Direct measurement of the Γ_n / Γ_p ratio (N_{nn}/N_{np} ratio)**
n

• Detect all decay particles (p, n, π^- , γ (π^0))
with very **high statistics**.

• Select Light hypernuclei

- ✓ Light s-shell hypernucleus, ${}^5_{\Lambda}\text{He}$
(to minimize the FSI effect)
- ✓ Typical p-shell hypernucleus, ${}^{12}_{\Lambda}\text{C}$
(to investigate the p-wave effect)

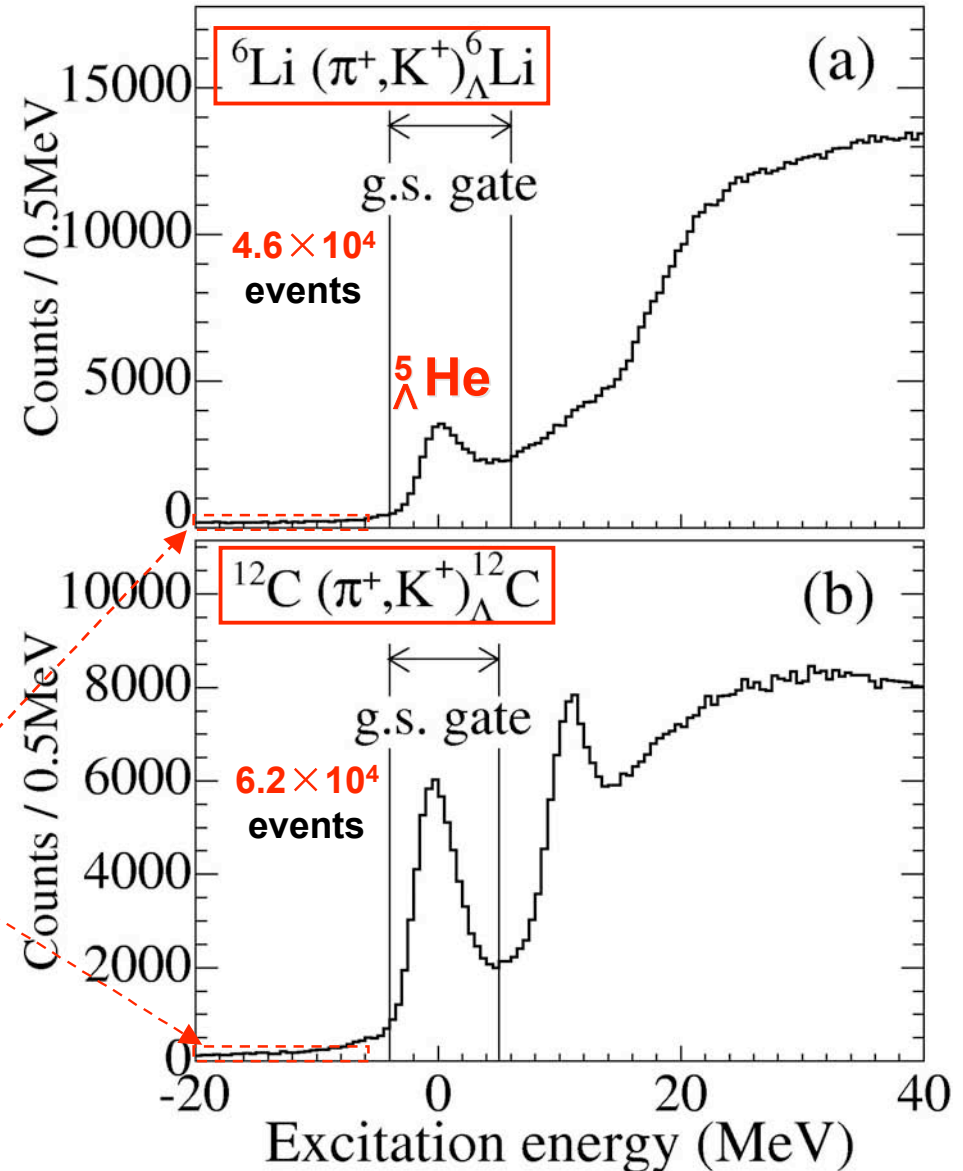
Excitation-energy spectra for ${}^6_{\Lambda}\text{Li}$ and ${}^{12}_{\Lambda}\text{C}$

The ground state of ${}^6_{\Lambda}\text{Li}$ is above the threshold of ${}^5_{\Lambda}\text{He} + p$.



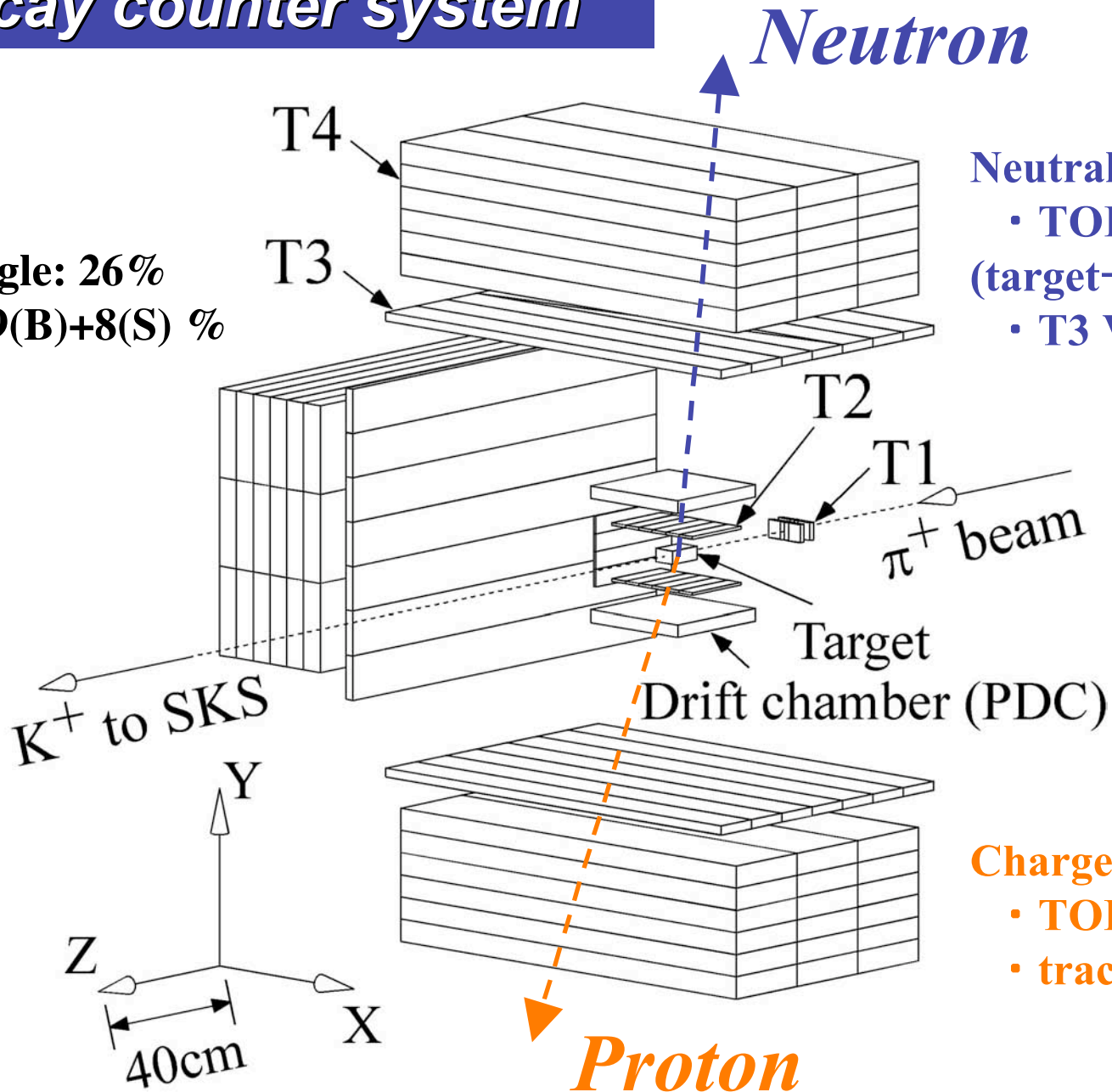
${}^6_{\Lambda}\text{Li}$ (g.s.) promptly decays into ${}^5_{\Lambda}\text{He}$ emitting a low-energy proton.

- ✓ Good S/N ratio ~ 10
- ✓ High statistics (one-order of magnitude higher than those of previous experiments.)



Decay counter system

Solid angle: 26%
= 9(T)+9(B)+8(S) %



Neutral particle :

- TOF (target \rightarrow NT)
- T3 VETO

Charged particle :

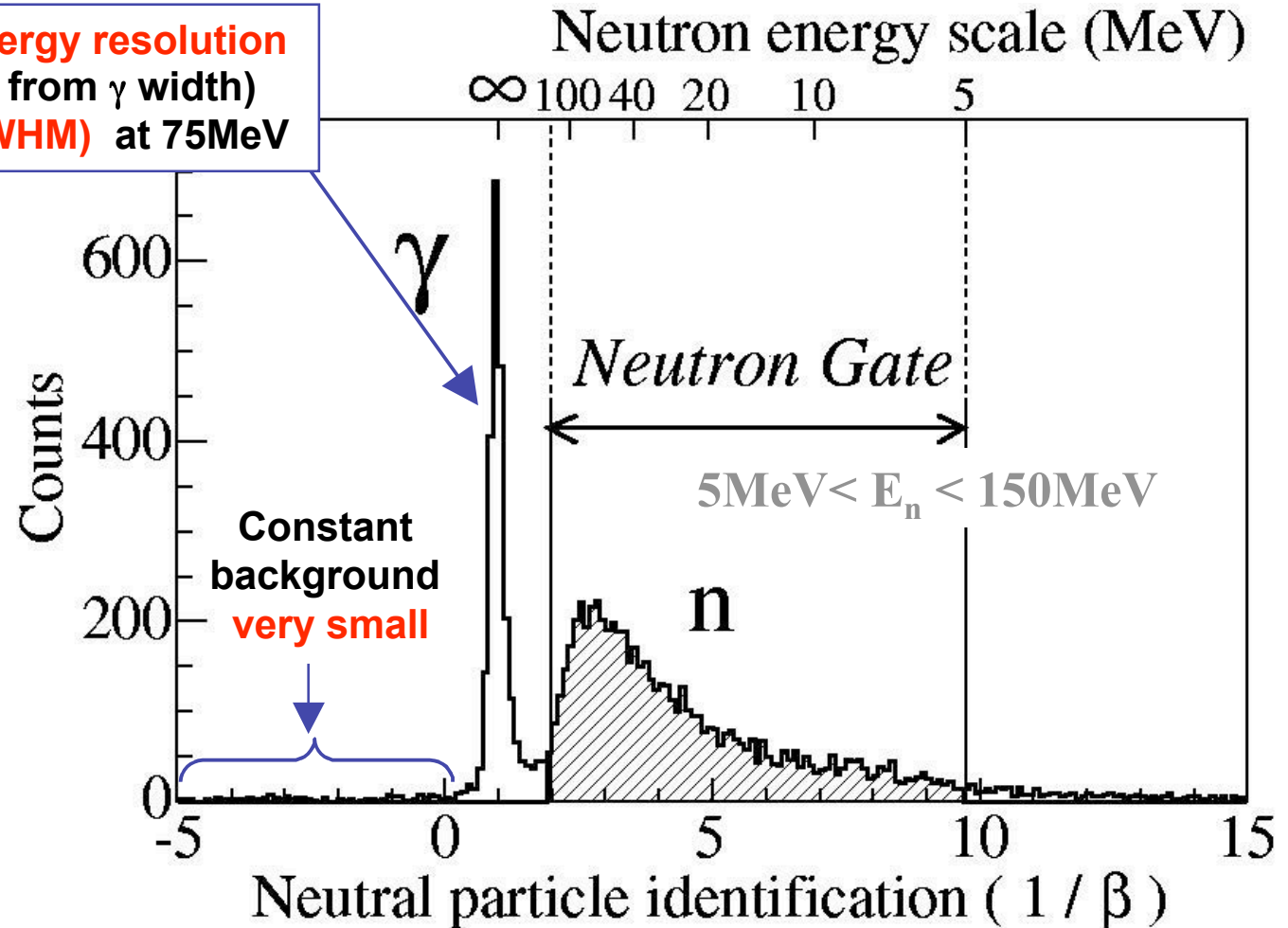
- TOF (T2 \rightarrow T3)
- tracking (PDC)

Neutral decay particle ID

Neutral particles from $^{12}_{\Lambda}\text{C}$

Neutron energy resolution
(estimated from γ width)
→ **7MeV(FWHM)** at 75MeV

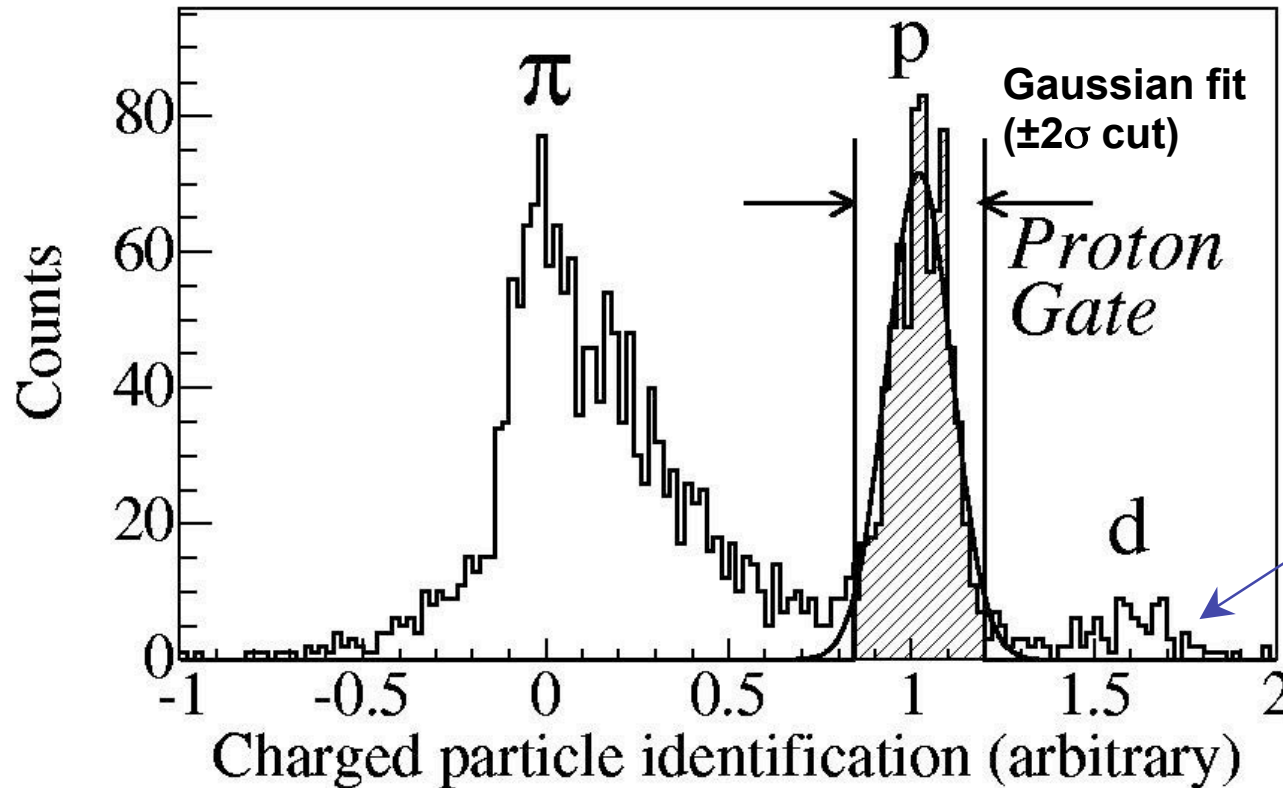
- **Good γ n separation**
- **Good S/N ratio (~ 30)**
(previous exp.
S/N ratio ($^5_{\Lambda}\text{He}$) ~ 1)
→ **~ 30 times** (for $^5_{\Lambda}\text{He}$)
higher than previous
exp.
- **High statistics**
(**~ 5000 neutrons**)
→ **~ 200 times** (for $^5_{\Lambda}\text{He}$)
 ~ 30 times (for $^{12}_{\Lambda}\text{C}$)
higher than previous
exp.



1 / β spectra

(TOF spectra)

Charged decay particle ID



Charged particles from ${}^5_{\Lambda}\text{He}$

Deuterons were separated from the protons. (for the first time!)

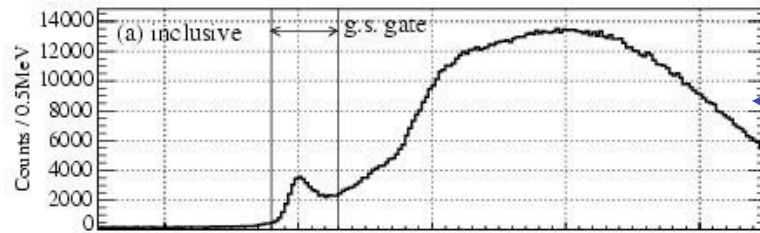
PID function

derived from

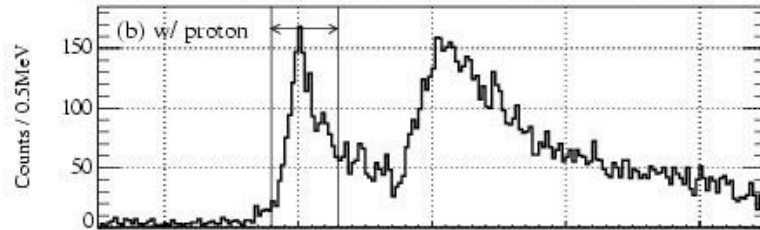
- **dE/dx** (at T2)
- **Total energy deposit** (sequentially fired counters (T2,T3,T4).)
- **TOF** (between T2 and T3)

Excitation spectra w/ coincident decay particles for ${}^5_{\Lambda}\text{He}$

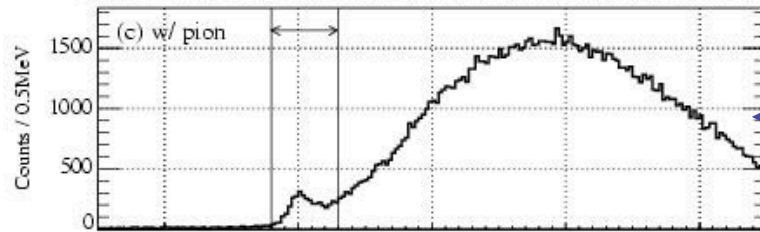
inclusive



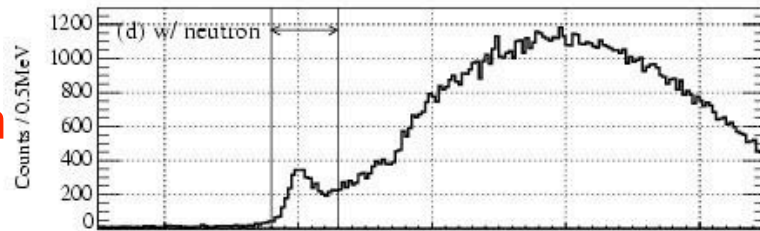
w/ proton



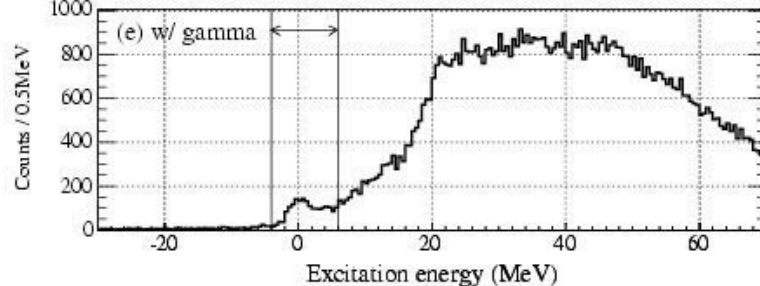
w/ pion



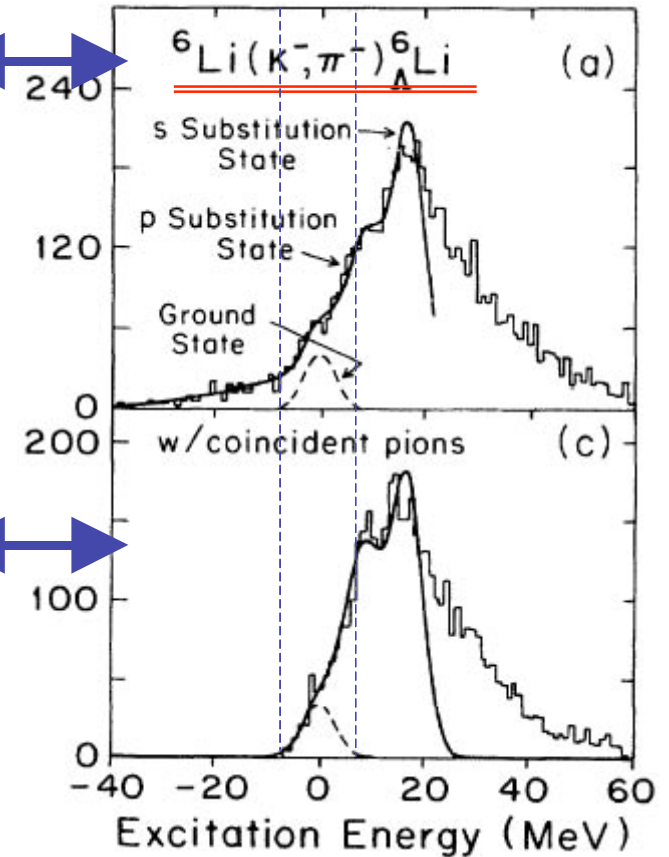
w/ neutron



w/ gamma



previous experiment at BNL



The **g.s. peak** is clearly seen in all spectra with coincident decay particles.

Excitation spectra w/ coincident decay particles for $^{12}_{\Lambda}C$

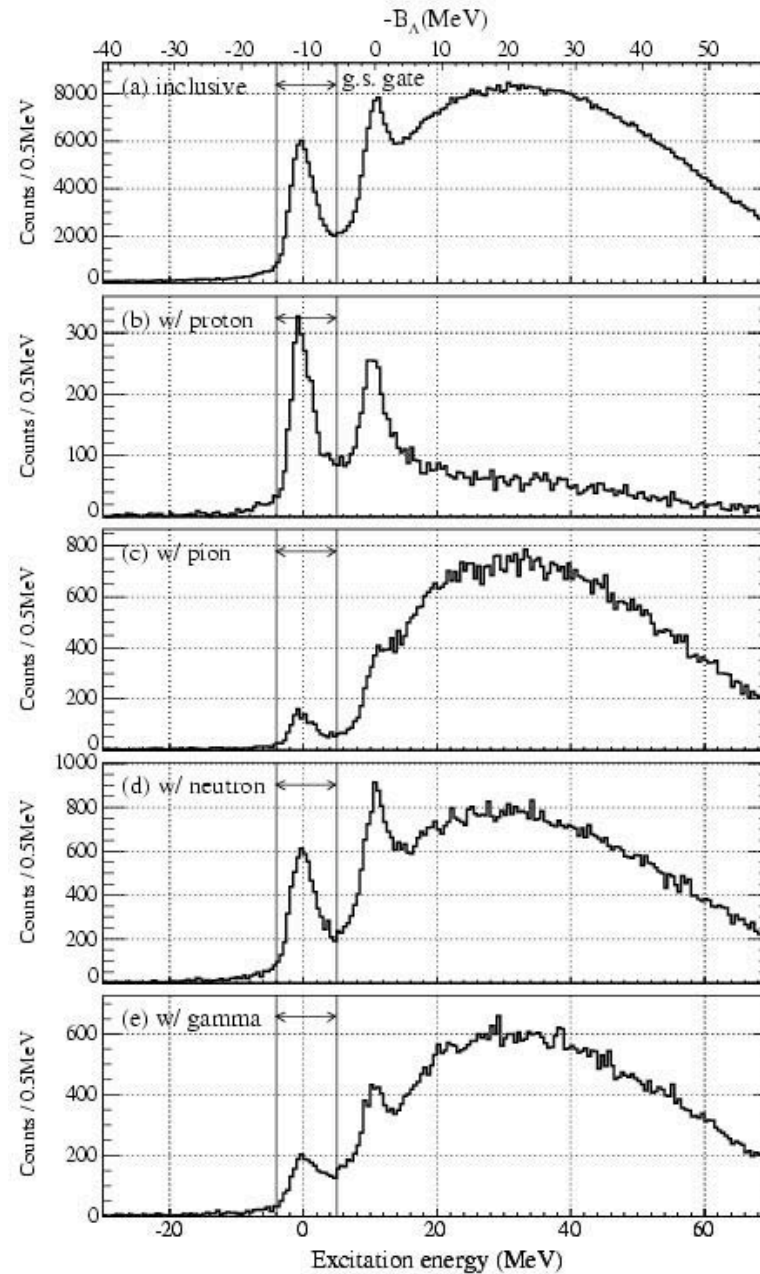
inclusive

w/ proton

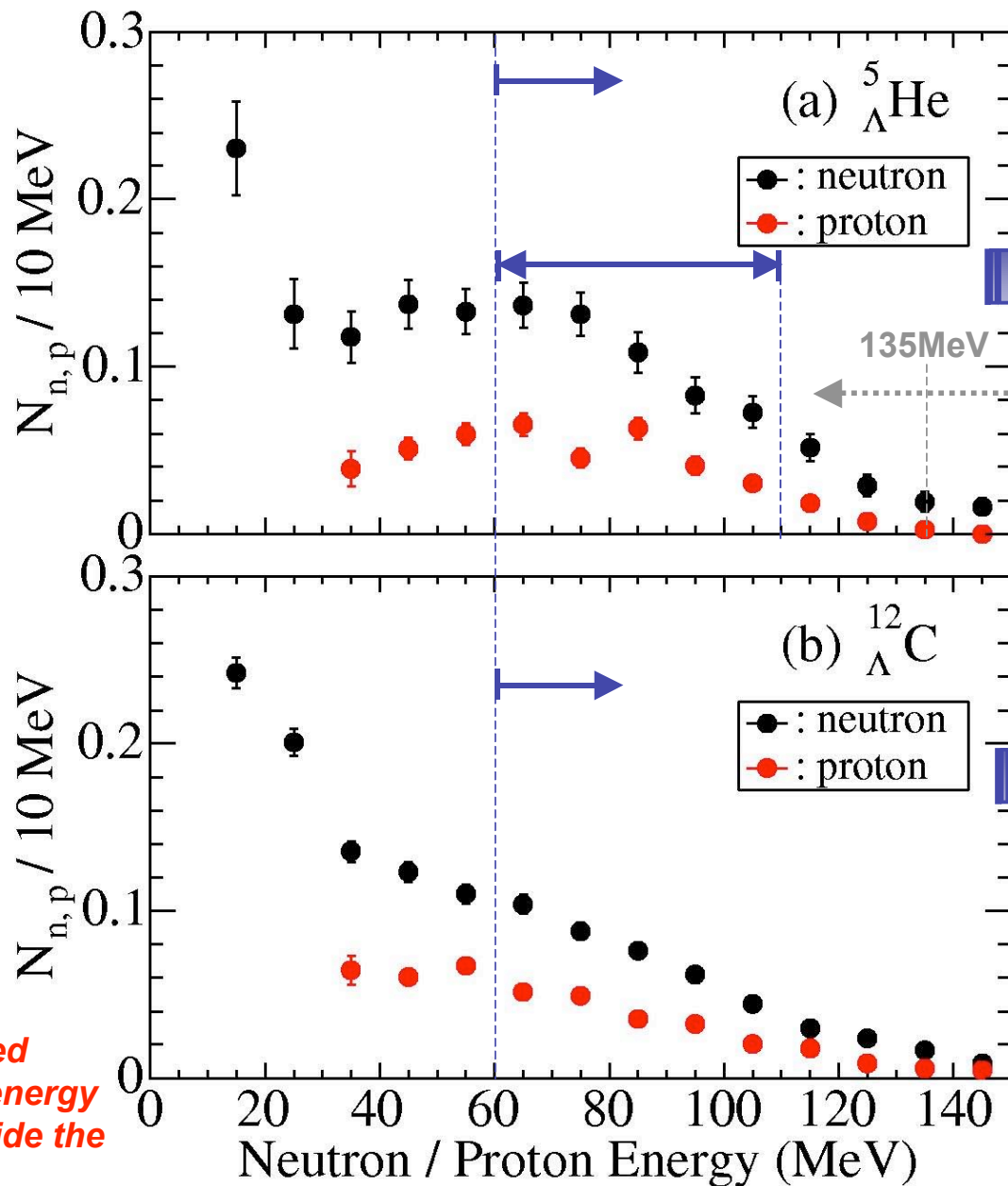
w/ pion

w/ neutron

w/ gamma



Neutron and Proton energy spectra of ${}^5_{\Lambda}\text{He}$ and ${}^{12}_{\Lambda}\text{C}$



To avoid suffering from FSI effect & $\Lambda\text{NN} \rightarrow \text{NNN}$

High energy threshold

$$N_n / N_p (60 < E < 110 \text{ MeV}) \sim 2.17 \pm 0.15 \pm 0.16$$

$${}^5_{\Lambda}\text{He} \rightarrow n + \alpha : Q \sim 135 \text{ MeV}$$

(rate : $0.049 \pm 0.01 \Gamma_{\pi^-}$)

apply upper energy limit of 110 MeV !

$$N_n / N_p (E > 60 \text{ MeV}) \sim 2.00 \pm 0.09 \pm 0.14$$



apply a simple relation

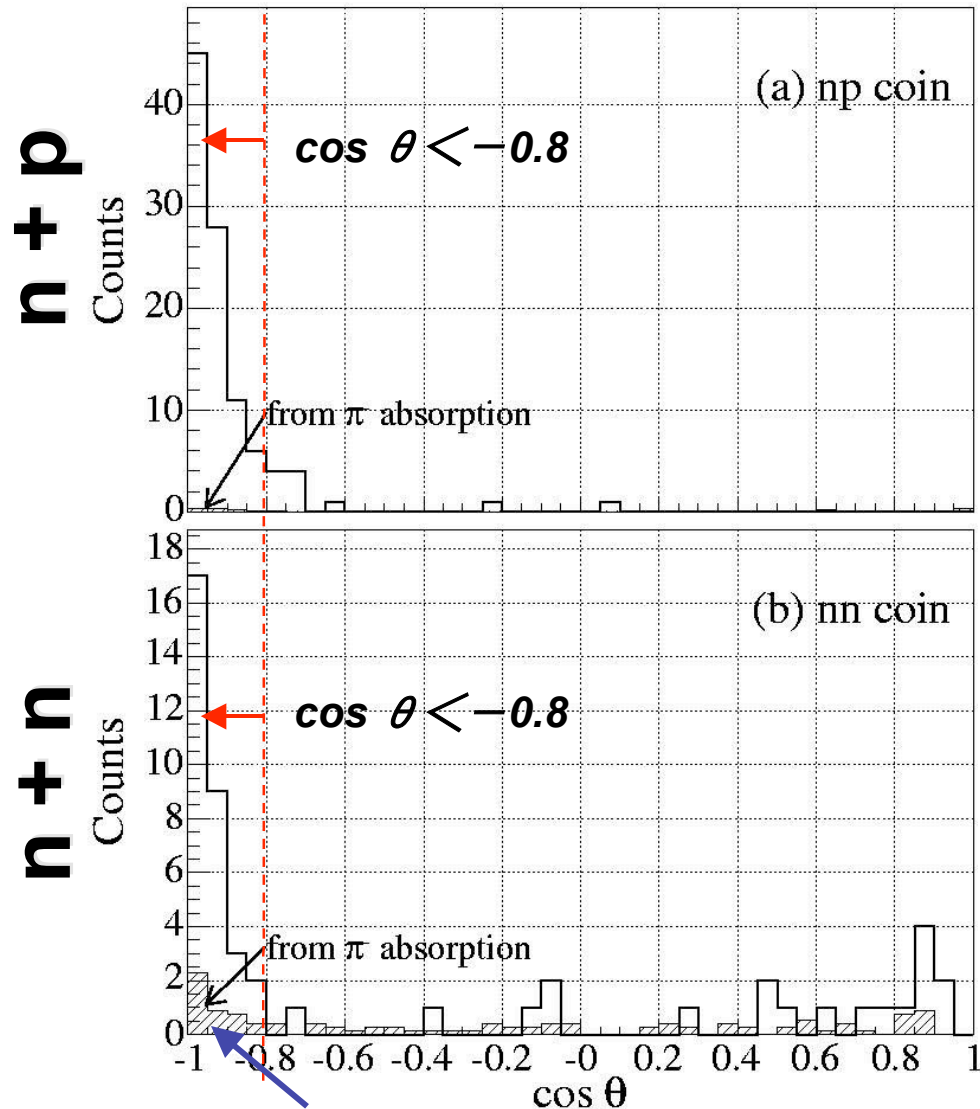
$$\Gamma_n / \Gamma_p = (N_n / N_p - 1) / 2$$

$$\rightarrow \Gamma_n / \Gamma_p \sim 0.5$$

Corrected proton energy loss inside the target !!

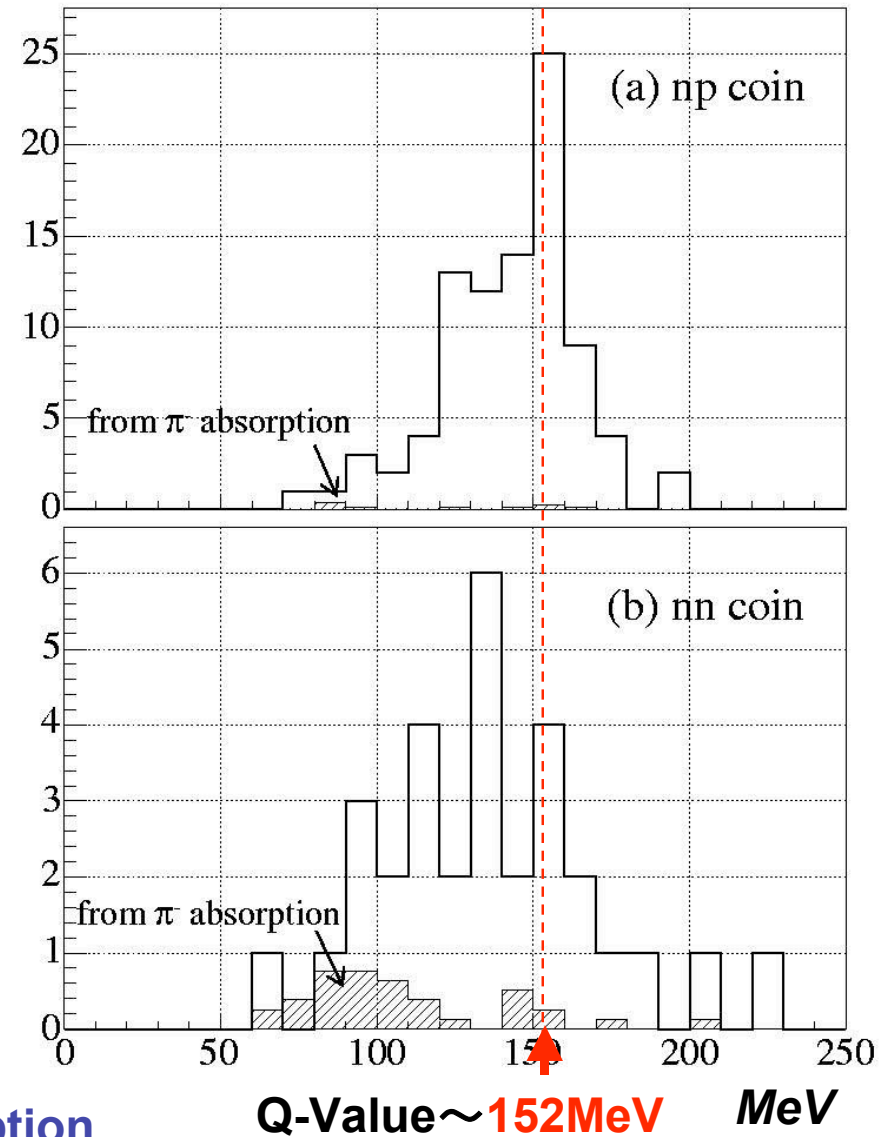
Coincidence analysis for ${}^5_{\Lambda}\text{He}$

Angular correlation



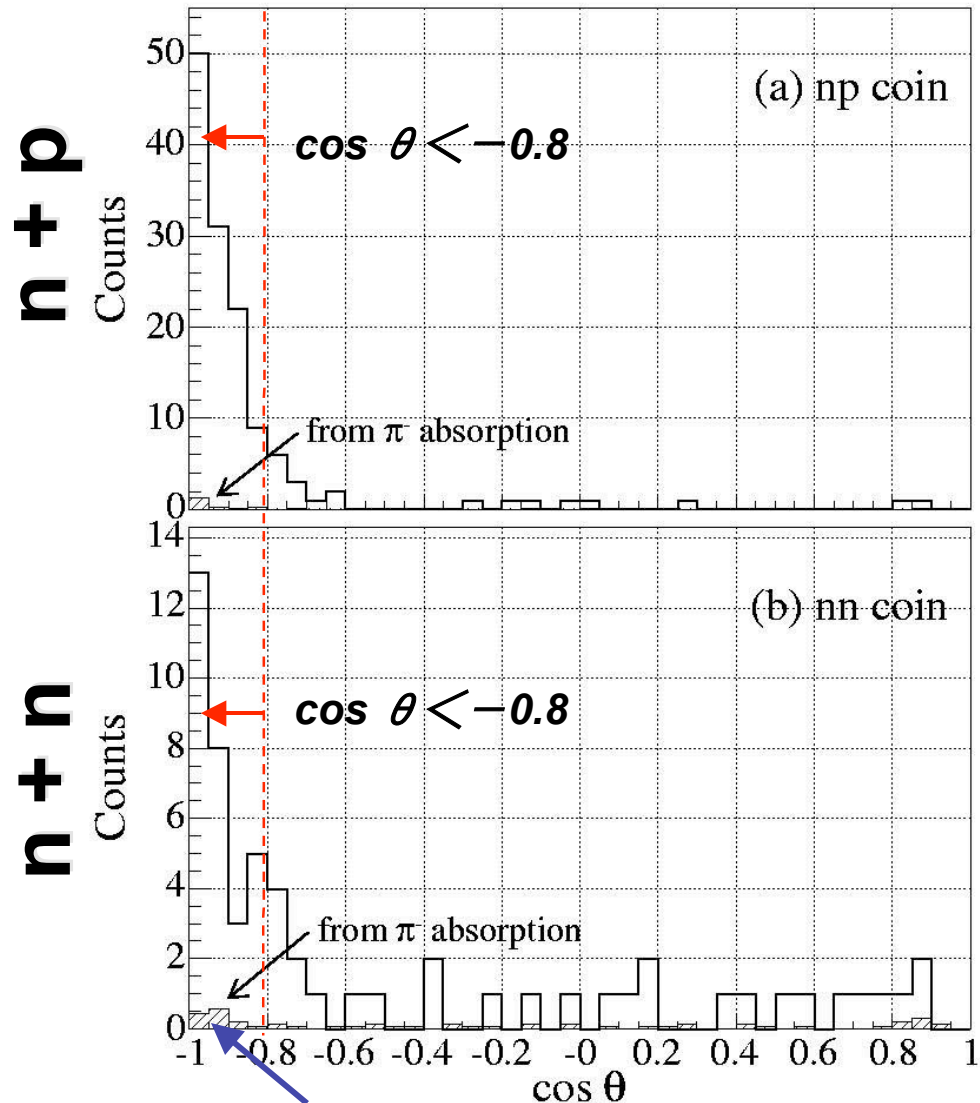
estimated contamination from π^- absorption

energy sum



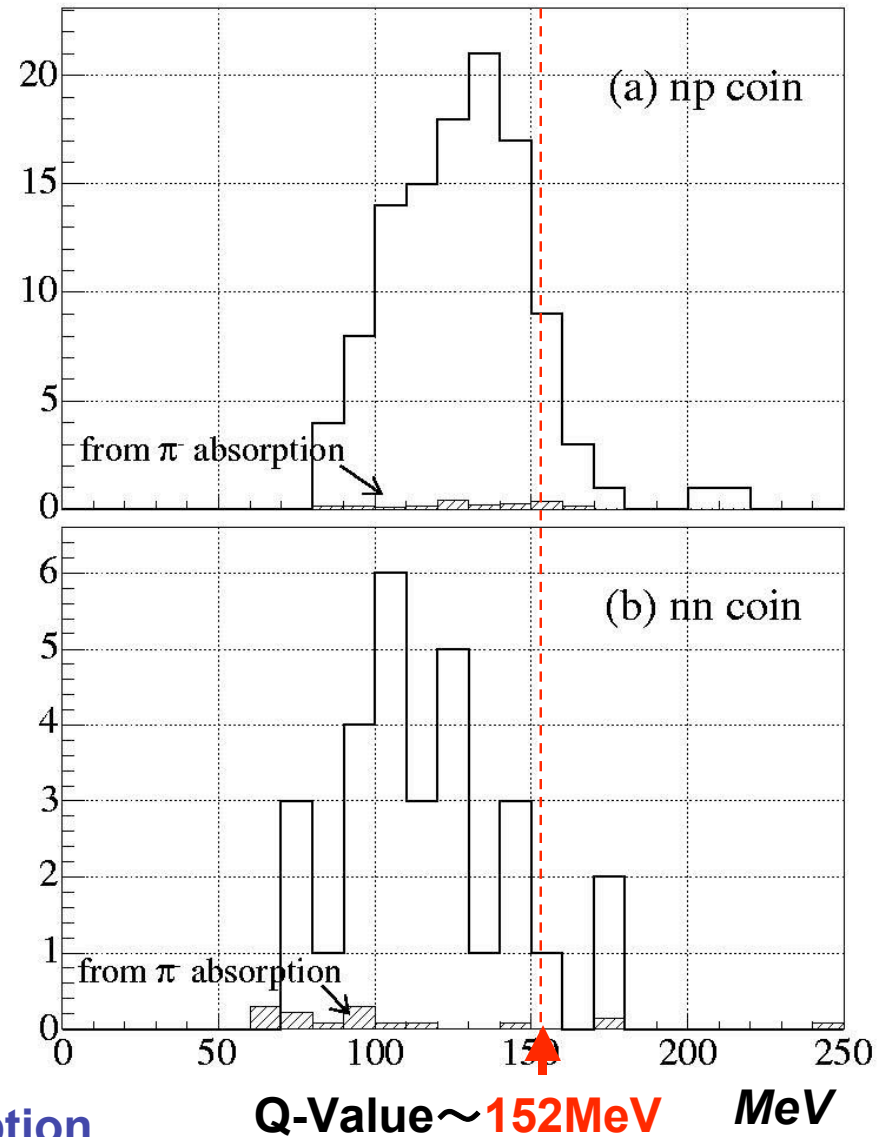
Coincidence analysis for $^{12}_{\Lambda}C$

Angular correlation



estimated contamination from π^- absorption

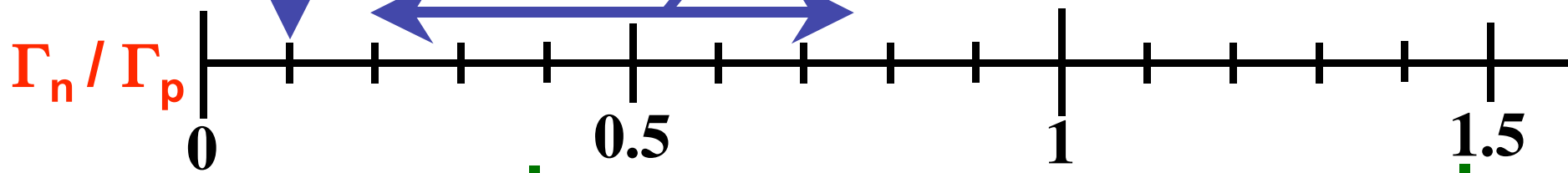
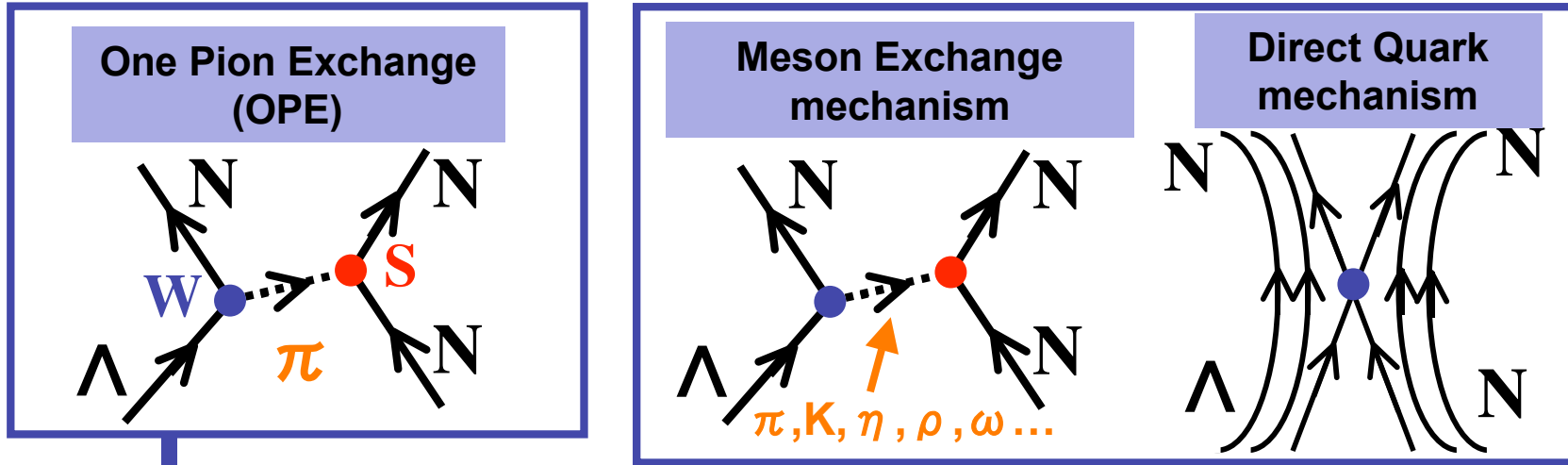
energy sum



Q-Value ~ 152 MeV MeV

Γ_n / Γ_p ratio

Theo.



Previous exp. (at BNL)

0.93 ± 0.55 (Szymanski et al.) for ${}^5_{\Lambda}\text{He}$

Exp.

${}^5_{\Lambda}\text{He}$ (E462)



$$N_{nn} / N_{np} ({}^5_{\Lambda}\text{He}) = 0.45 \pm 0.11 \pm 0.03$$

${}^{12}_{\Lambda}\text{C}$ (E508)



$$N_{nn} / N_{np} ({}^{12}_{\Lambda}\text{C}) = 0.40 \pm 0.09 \text{ (preliminary)}$$

Summary

◆ $\Delta N \rightarrow NN$ was directly observed for the first time !

$${}^5_{\Lambda}\text{He} : \Gamma_n / \Gamma_p \text{ ratio} \sim N_{nn} / N_{np} = \underline{0.45 \pm 0.11 \pm 0.03}$$

$${}^{12}_{\Lambda}\text{C} : \Gamma_n / \Gamma_p \text{ ratio} \sim N_{nn} / N_{np} = \underline{0.40 \pm 0.09} \text{ (preliminary)}$$

◆ N_n / N_p ratio with a high threshold (60MeV) was approximately equal to 2 ($\Gamma_n / \Gamma_p \sim 0.5$) \rightarrow consistent with coincidence results.



✓ **excludes** the earlier **experimental claim** $\Gamma_n / \Gamma_p \sim 1$.

✓ **rules out** theoretical calculations based on the **OPE** ($\Gamma_n / \Gamma_p \sim 0$).

The longstanding “ Γ_n / Γ_p ratio puzzle” is solved.

It supports recent calculations based on **short-range interactions** such as heavy-meson exchange and the direct quark exchange.

Other results

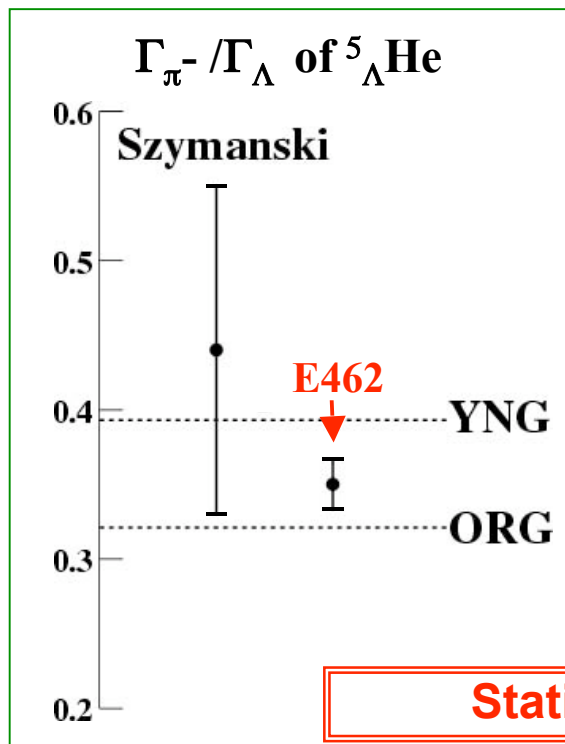
Lifetime
 π^- branching ratio
 π^0 branching ratio

	${}^5_\Lambda\text{He}$	comment	${}^{12}_\Lambda\text{C}$	comment
t_{HY}	278^{+11}_{-10} (ps)	present	212^{+7}_{-6} (ps)	present
b_{π^-}	0.359 ± 0.009	present	$0.099 \pm 0.011 \pm 0.004$	Ref. [18]
b_{π^0}	$0.212 \pm 0.008 \pm 0.005$	present	$0.133 \pm 0.005 \pm 0.003$	present

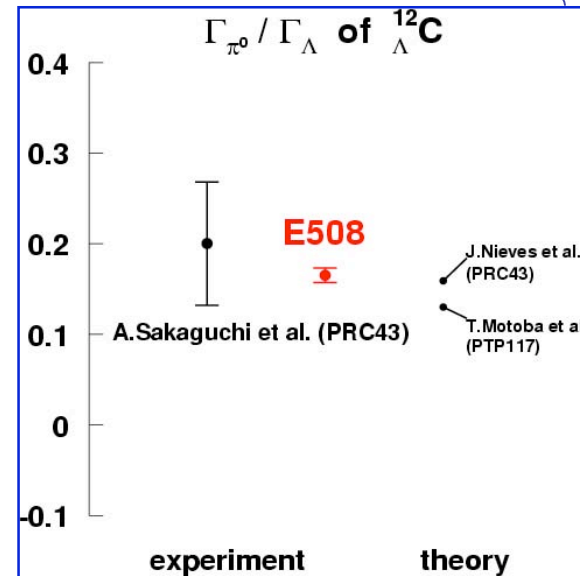
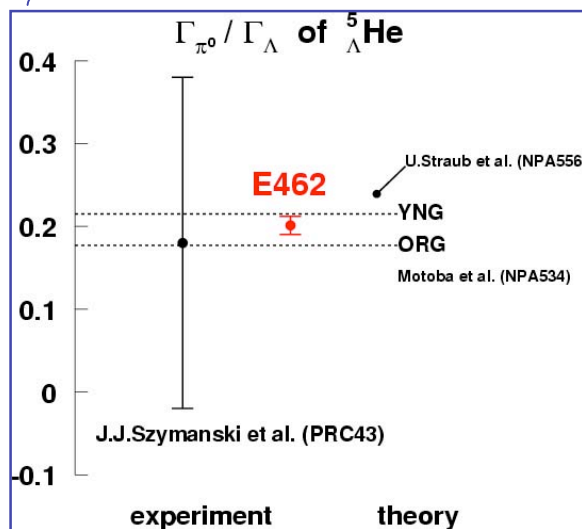


	${}^5_\Lambda\text{He}$	comment	${}^{12}_\Lambda\text{C}$	comment
$\Gamma_{tot} / \Gamma_\Lambda$	$0.947 \pm 0.037 \pm 0.007$	present	$1.242 \pm 0.041 \pm 0.009$	present
$\Gamma_{\pi^-} / \Gamma_\Lambda$	$0.340 \pm 0.016 \pm 0.003$	present	$0.123 \pm 0.014 \pm 0.005$	Ref. [18]
$\Gamma_{\pi^0} / \Gamma_\Lambda$	$0.201 \pm 0.011 \pm 0.005$	present	$0.165 \pm 0.008 \pm 0.004$	present
$\Gamma_{nm} / \Gamma_\Lambda$	$0.406 \pm 0.020 \pm 0.006$	present	$0.953 \pm 0.032 \pm 0.017$	present

π^- decay width for ${}^5_\Lambda\text{He}$



π^0 decay width for ${}^5_\Lambda\text{He}$ and ${}^{12}_\Lambda\text{C}$



Statistical errors were much improved !!

E462 / E508 publication

- **International conference**

- ✓ **PANIC02** : oral (invited) ×1 , poster ×2

- ✓ **SENDAI03** : oral ×6

- ✓ **HYP2003** : oral (invited) ×2, oral ×3, poster ×3

- **Doctor thesis**

- Japan ×1

- **Master thesis**

- Japan ×4, Korea ×2

- **International conference**

- ✓ **INPC2004** : oral ×1

- **Doctor thesis**

- Japan ×2, Korea ×3 (or 2)

- **Refereed journals**

- Letter paper ×5, Full paper ×1

To J-PARC

Non-mesonic weak decay of ${}^4_{\Lambda}\text{He}$ and ${}^4_{\Lambda}\text{H}$

see *S.Ajimura : J-PARC LOI 21*

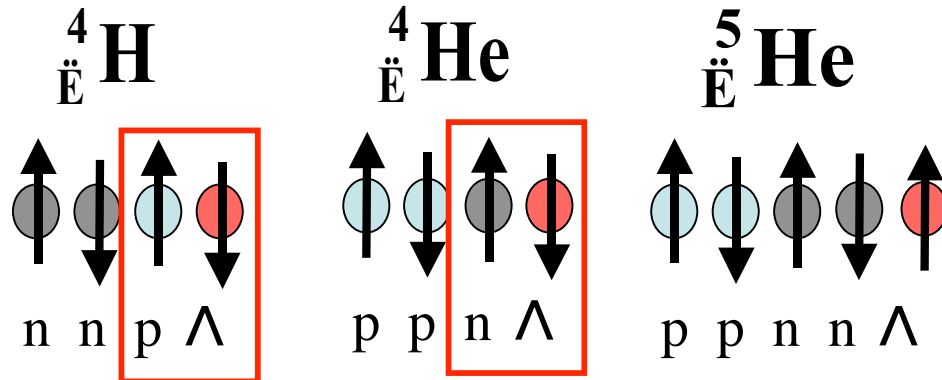
Spin / isospin dependence

$$\begin{aligned} \Gamma_{\text{nm}}({}^4_{\Lambda}\text{H}) &= (3R_{n1} + R_{n0} + 2R_{p0}) \times \rho_4 / 6 \\ \Gamma_{\text{nm}}({}^4_{\Lambda}\text{He}) &= (2R_{n0} + 3R_{p1} + R_{p0}) \times \rho_4 / 6 \\ \Gamma_{\text{nm}}({}^5_{\Lambda}\text{He}) &= (3R_{n1} + R_{n0} + 3R_{p1} + R_{p0}) \times \rho_5 / 8 \end{aligned}$$

$R_{\text{NS}} \dots N : \Lambda n \rightarrow nn, \Lambda p \rightarrow np$
 $S : \text{spin} = 0 \text{ or } 1$

${}^4\text{He} (K^-, \pi^-) {}^4_{\Lambda}\text{He}$ or
 ${}^4\text{He} (\pi^+, K^+) {}^4_{\Lambda}\text{He}$

\rightarrow **n+n back-to-back**



${}^4\text{He} (K^-, \pi^0) {}^4_{\Lambda}\text{H}$

\rightarrow **p+n back-to-back**
 (π^0 spectrometer)

\rightarrow *Need one-order higher statistics.* \rightarrow **J-PARC**